

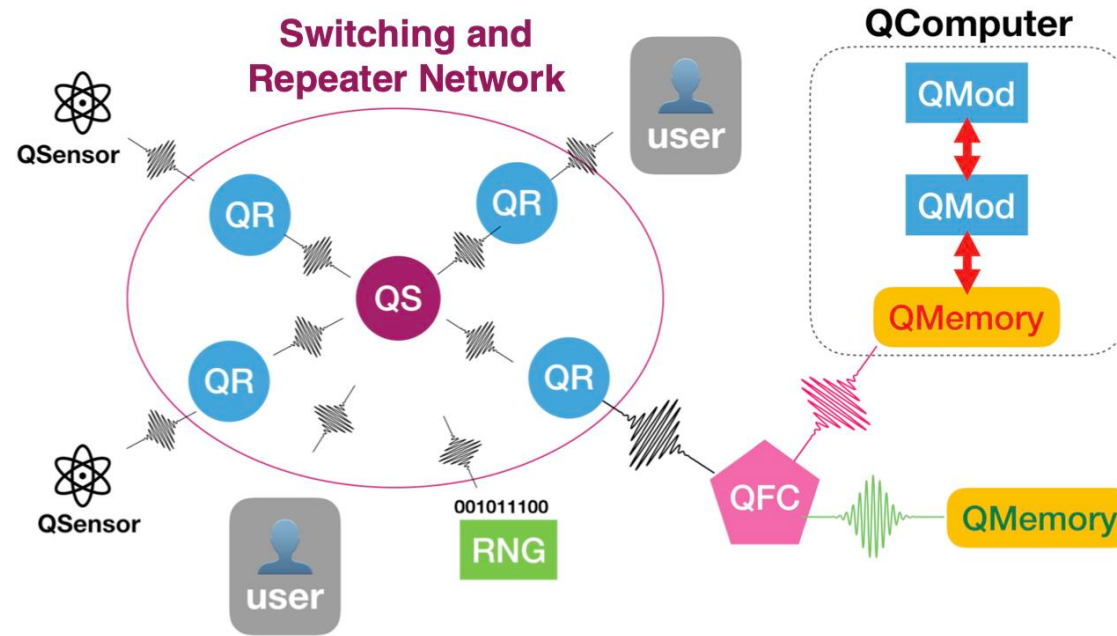
Photonic quantum information processing using frequency degree of freedom

Rikizo Ikuta
The University of Osaka

2025/10/1 QSP2025

Quantum internet/interconnect

D. Awschalom et al., PRX Quantum 2, 017002 (2021).
Development of Quantum Interconnects (QulCs) for Next-
Generation Information Technologies

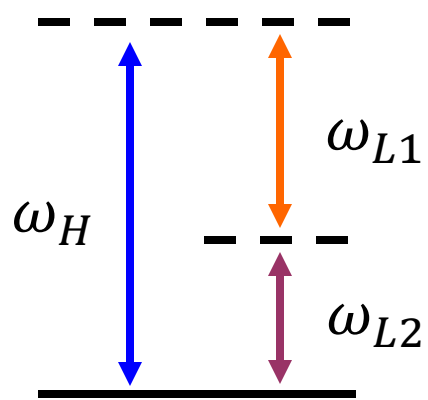
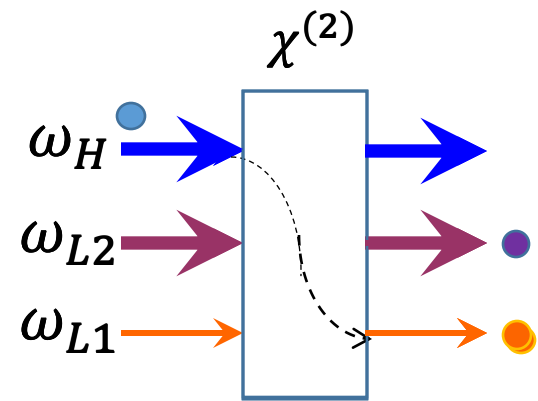


Key Photonic Quantum Devices and Technologies

- Optical communication channels: low-loss optical fibers, Free-space optical links, Satellite-to-ground links
- **Switching, routing**, polarization/phase control
- **Quantum frequency conversion (QFC)**: Interface of matter systems with telecom photons
- Interconversion and coupling of photonic qubits between different DoF: pol., freq., time-bin, spatial modes
- **Entangled photon sources: Nonlinear optical media, fiber-coupled modules**
- **Multiplexing of frequency**, spatial, temporal modes
- **Multidimensional encoding (qudits)**
- Single-photon detectors: superconducting detectors, avalanche photodiodes (APDs), homodyne detectors

QIP based on second-order nonlinear optical interaction

Hamiltonian : $\hat{\mathcal{H}} = i\hbar g \left(\hat{a}_{L2}^\dagger \hat{a}_H \hat{a}_{L1}^\dagger - \hat{a}_{L2} \hat{a}_H^\dagger \hat{a}_{L1} \right)$



$(\omega_H = \omega_{L1} + \omega_{L2})$

Application 1: Quantum frequency conversion (QFC)

Pump light: L2
Input mode: H or L1 (single photon)
Output mode: L1 or H (single photon)

$$\hat{\mathcal{H}}_{eff} = i\hbar \left(\xi_2 \hat{a}_H \hat{a}_{L1}^\dagger - \xi_2^* \hat{a}_H^\dagger \hat{a}_{L1} \right) \quad \xi_2 = g \langle \hat{a}_{L2} \rangle$$

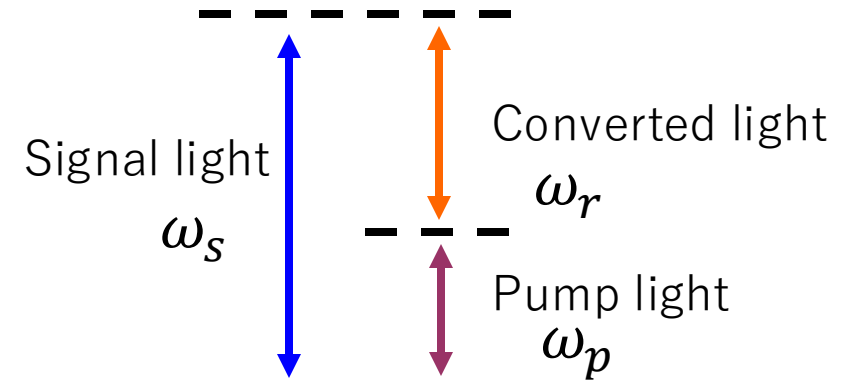
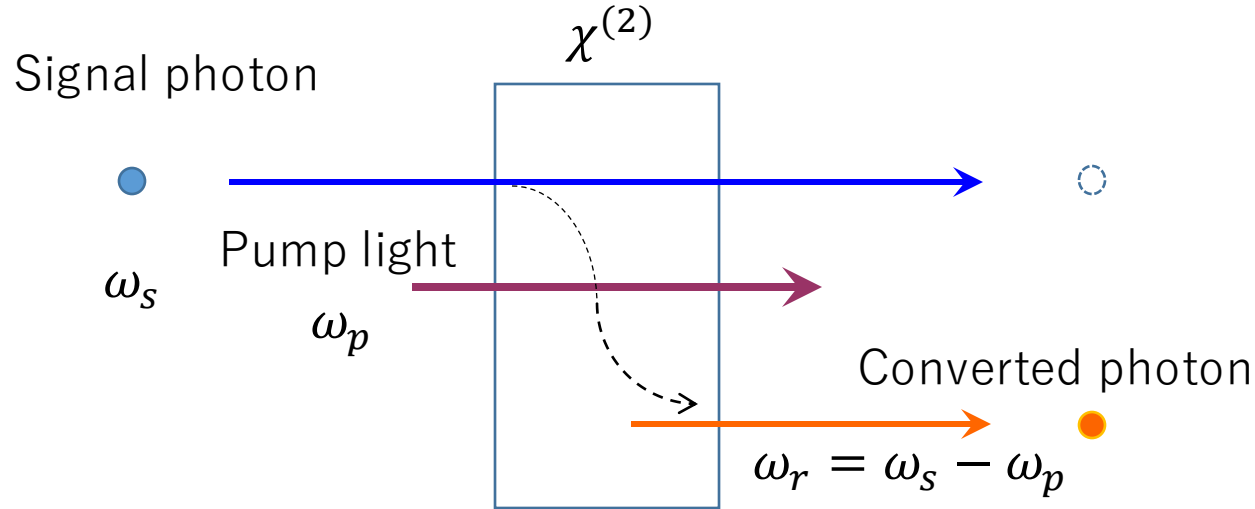
Application 2: Photon pair generation

Pump light: H
Input mode: None (vacuum) at L1 and L2
Output mode: L1 and L2 (single-photon pair)

$$\hat{\mathcal{H}}_{eff} = i\hbar \left(\xi_H \hat{a}_{L2}^\dagger \hat{a}_{L1}^\dagger - \xi_H^* \hat{a}_{L2} \hat{a}_{L1} \right) \quad \xi_H = g \langle \hat{a}_H \rangle$$

Quantum frequency conversion based on $\chi^{(2)}$ nonlinearity

Difference frequency generation



Hamiltonian :
$$\hat{\mathcal{H}} = ig(\hat{a}_p^\dagger \hat{a}_s \hat{a}_r^\dagger - \hat{a}_p \hat{a}_s^\dagger \hat{a}_r)$$

$$\sim i(\xi^* \hat{a}_s \hat{a}_r^\dagger - \xi \hat{a}_s^\dagger \hat{a}_r)$$
 ($\xi = g\langle\hat{a}_p\rangle$ Sufficiently strong pump light)

Input-output relation :
$$\begin{pmatrix} a_{s,out} \\ a_{r,out} \end{pmatrix} = \begin{pmatrix} \cos(\theta/2) & -e^{-i\phi} \sin(\theta/2) \\ e^{i\phi} \sin(\theta/2) & \cos(\theta/2) \end{pmatrix} \begin{pmatrix} a_{s,in} \\ a_{r,in} \end{pmatrix},$$
 ($\theta/2 = |\xi|\tau$)

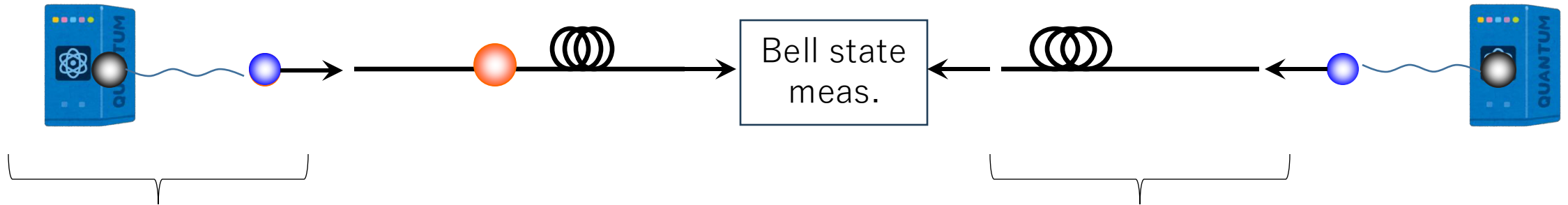
For $\theta = \pi$, maximum conversion efficiency is achieved.

Watt-level pump power is required when a conventional PPLN waveguide is used.

Quantum interconnect via optical fiber communication

Quantum A

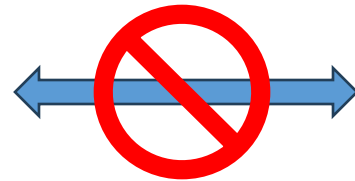
Quantum B



Matter-photon entanglement

Sr ⁺	: 422 nm
Ba ⁺	: 493 nm
Pr ³⁺ : Y ₂ SiO ₅	: 606 nm
NV center	: 637 nm
SiV center	: 738 nm
Rb	: 780 nm, 795 nm
Cs	: 852 nm, 895 nm
Ca ⁺	: 854 nm, 866 nm

Optical fiber communication

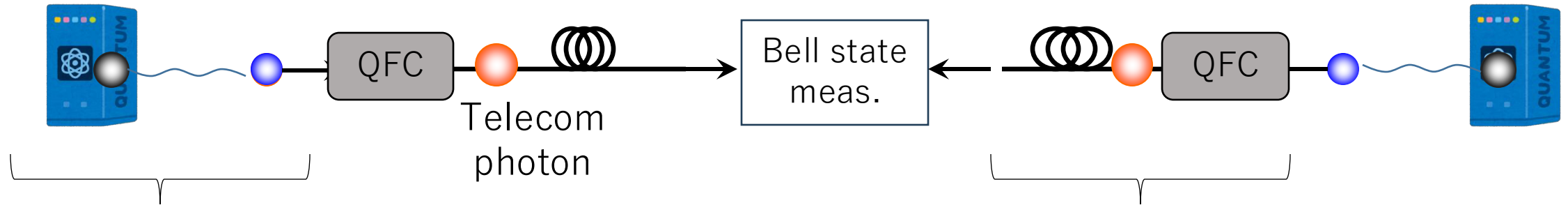


O-band	1260 ~ 1360nm (center: 1310nm)
S/C/L-band	1460 ~ 1625nm (center: 1550nm)

Quantum interconnect via optical fiber communication

Quantum A

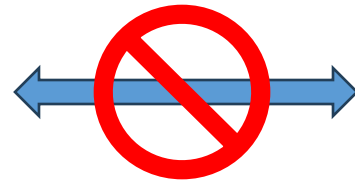
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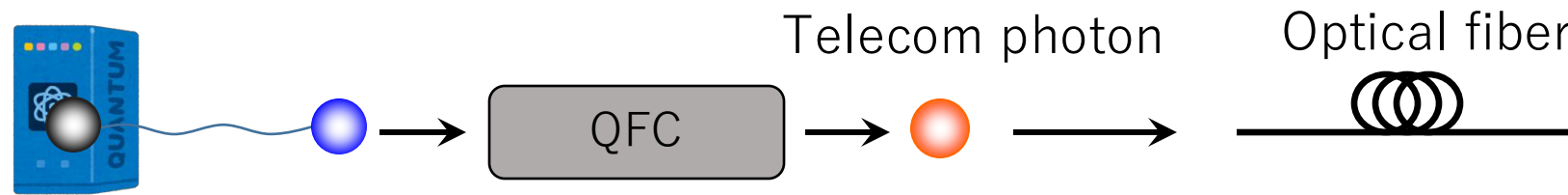
Optical fiber communication



O-band	1260 ~ 1360nm (center: 1310nm)
S/C/L-band	1460 ~ 1625nm (center: 1550nm)

Quantum frequency conversion (QFC) bridges the mismatch.

Quantum frequency conversion (QFC)

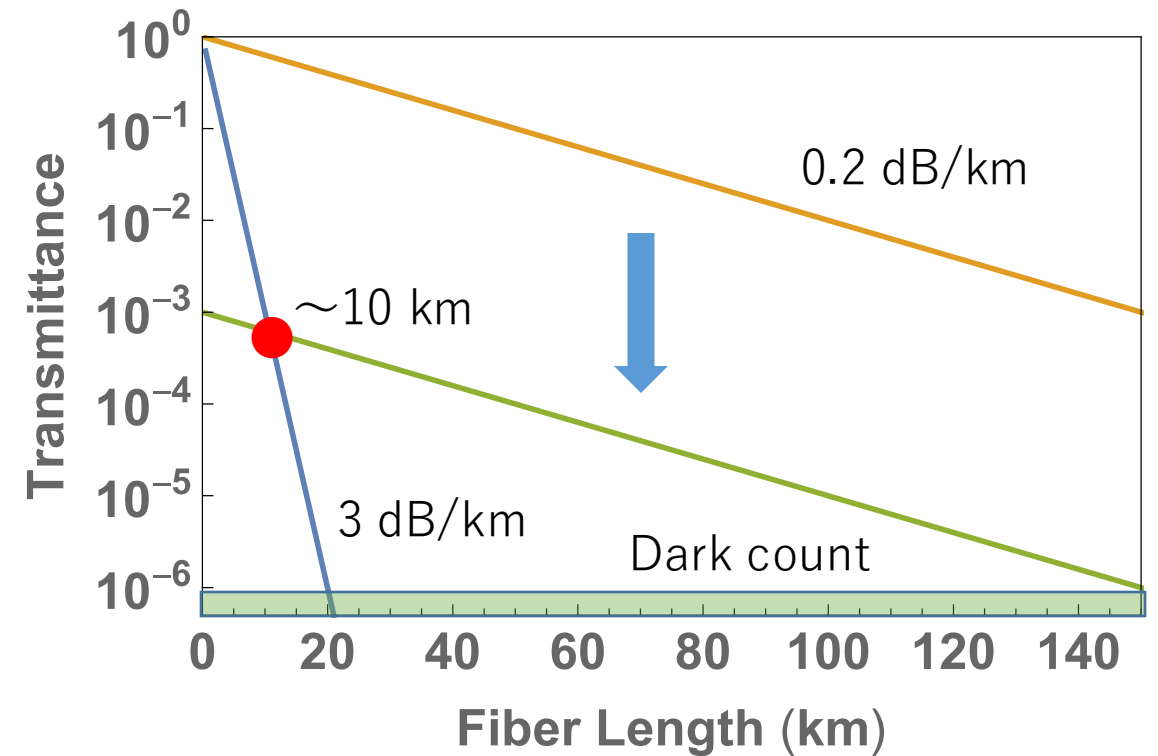


Transmittance of optical fiber

Fiber length	1 km	10 km	100 km
~ 800 nm (3 dB/km)	0.5	10^{-3}	10^{-30}
~ 1550 nm (0.2 dB/km)	0.95	0.63	10^{-2}

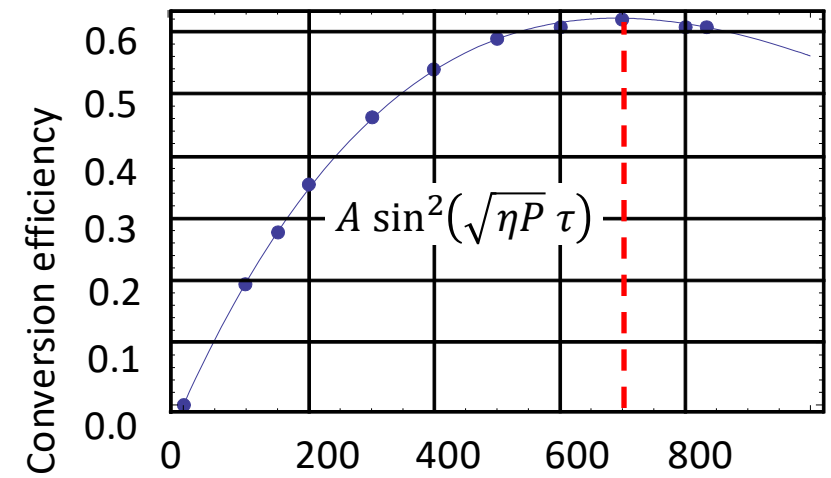
Even if the conversion efficiency of the QFC is 0.1%, the overall efficiency is higher when long-distance communication (e.g., over 10 km) is considered.

About 60% QFC efficiency was achieved.
(H. Weinfurter Group, PRL 2020)

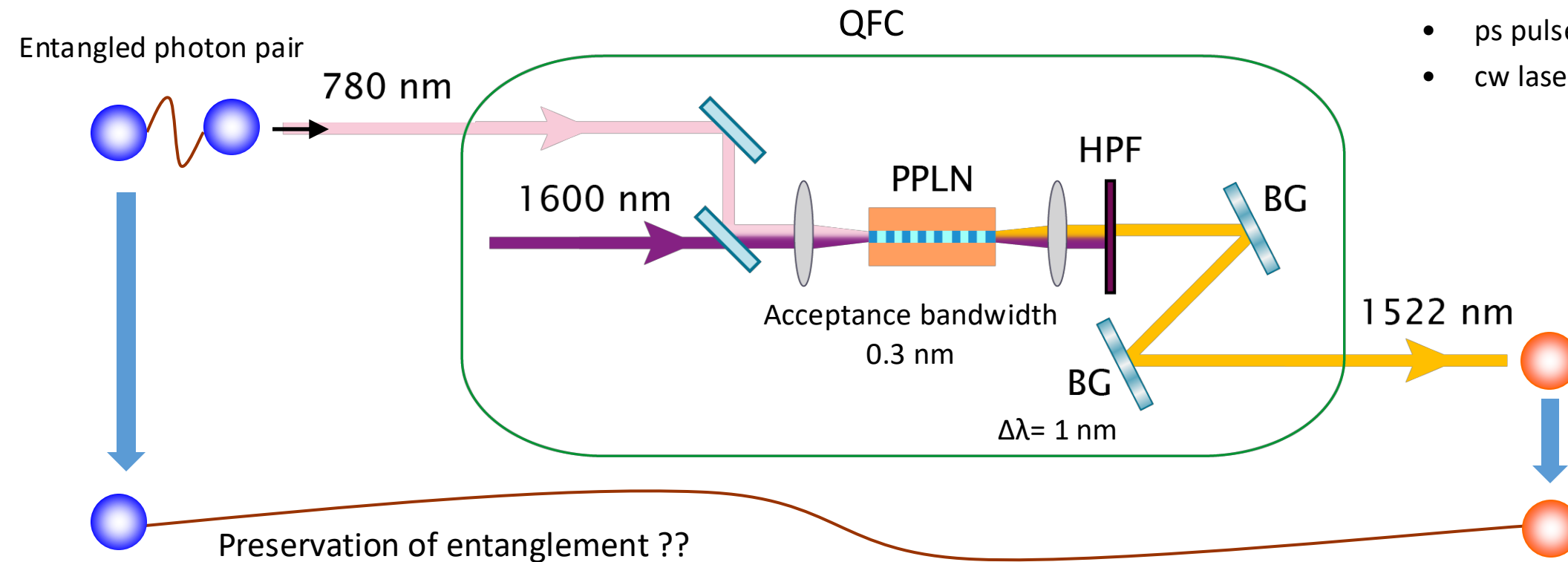


QFC is an essential building block for the quantum Internet.

QFC experiment using PPLN waveguide

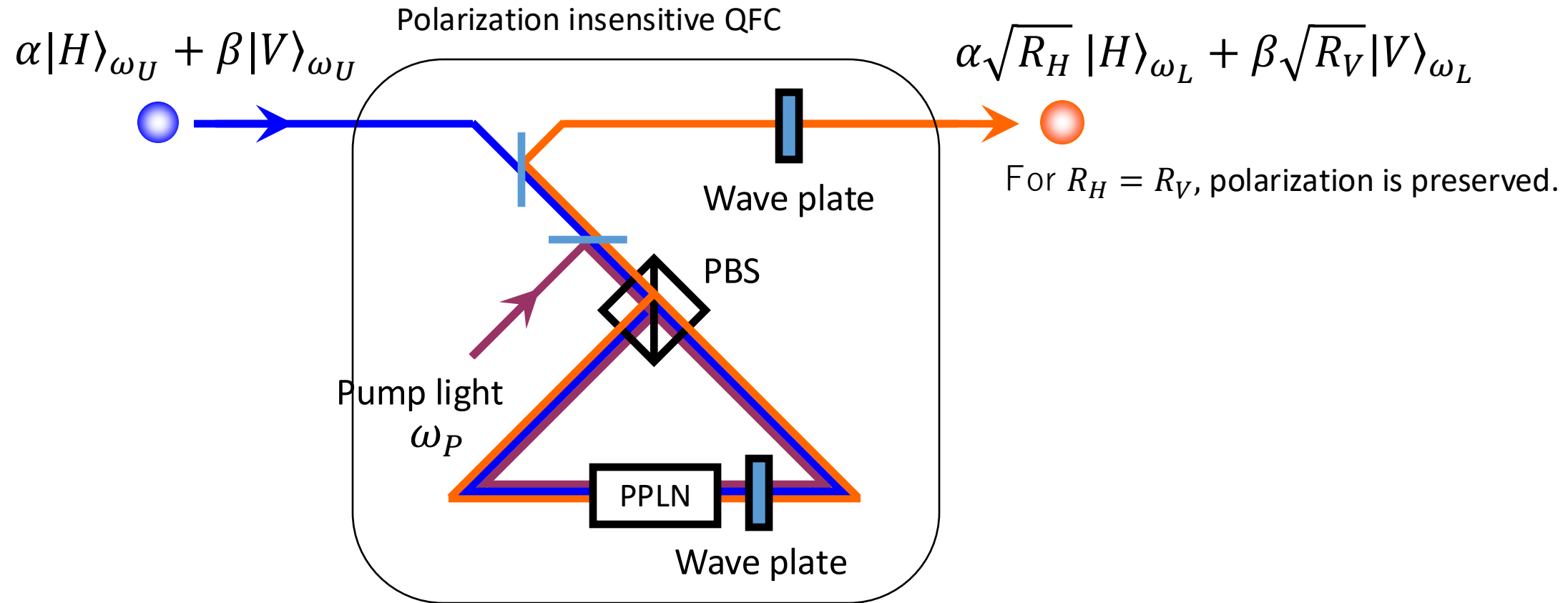


- ps pulsed light : 62 %
- cw laser : 71 %



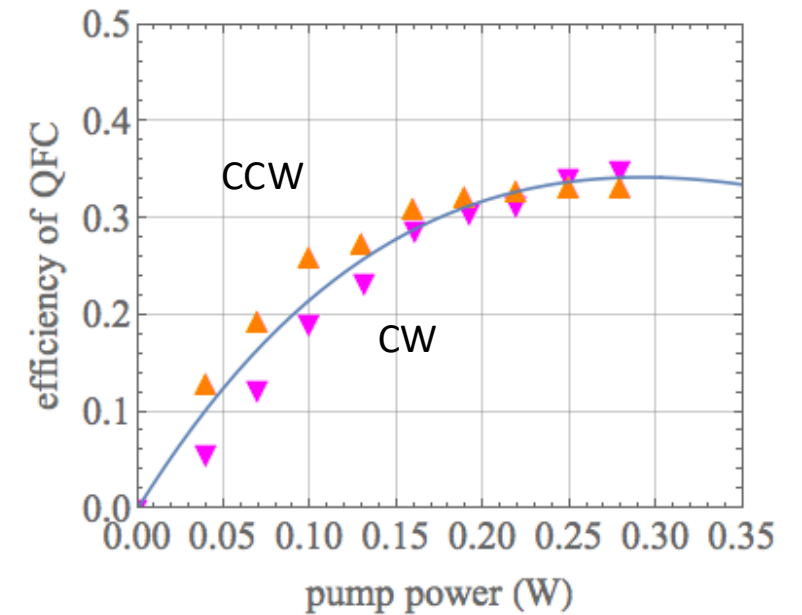
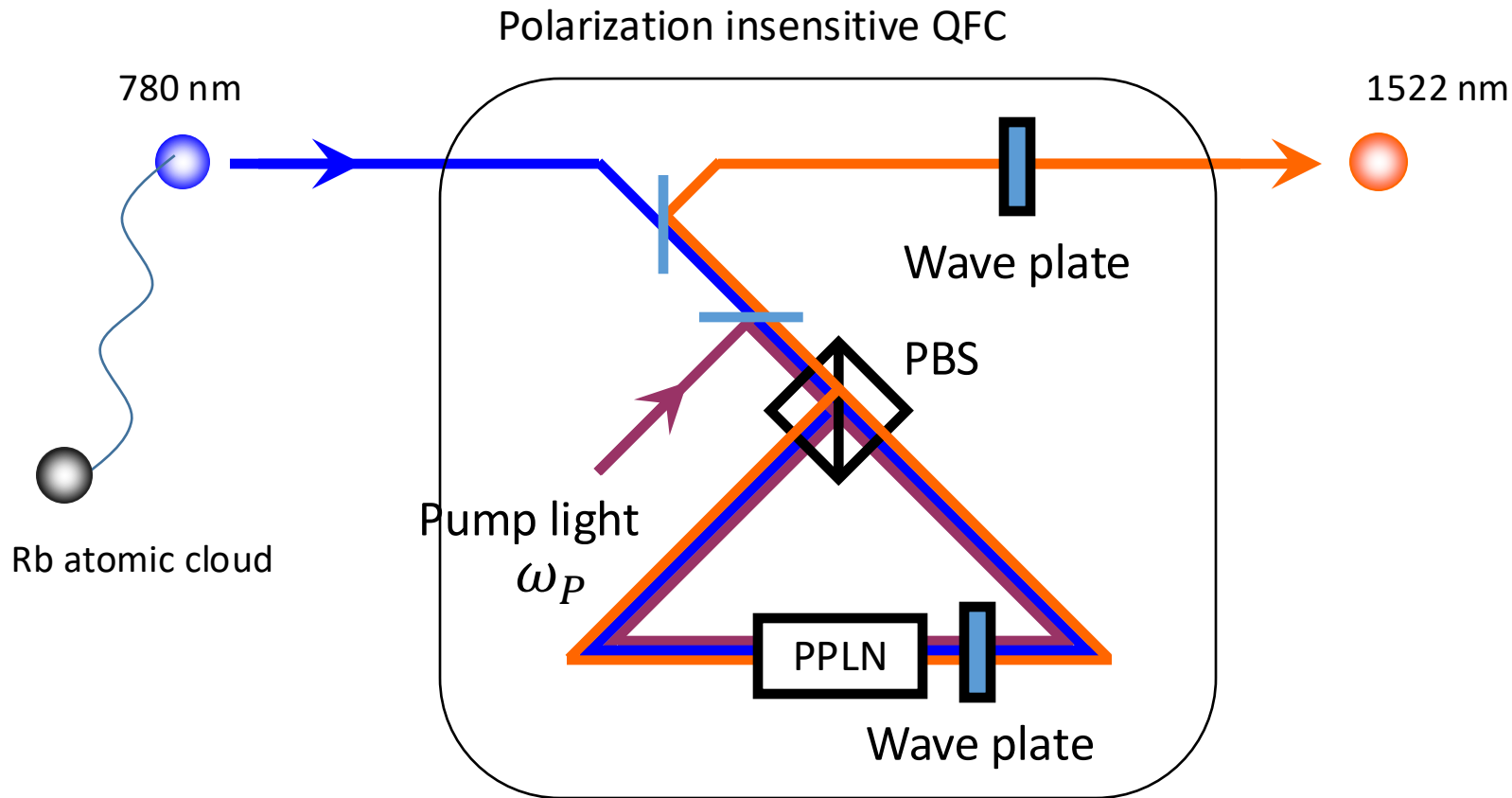
Polarization insensitive QFC

- PPLN waveguide for V-polarized photon + Sagnac interferometer



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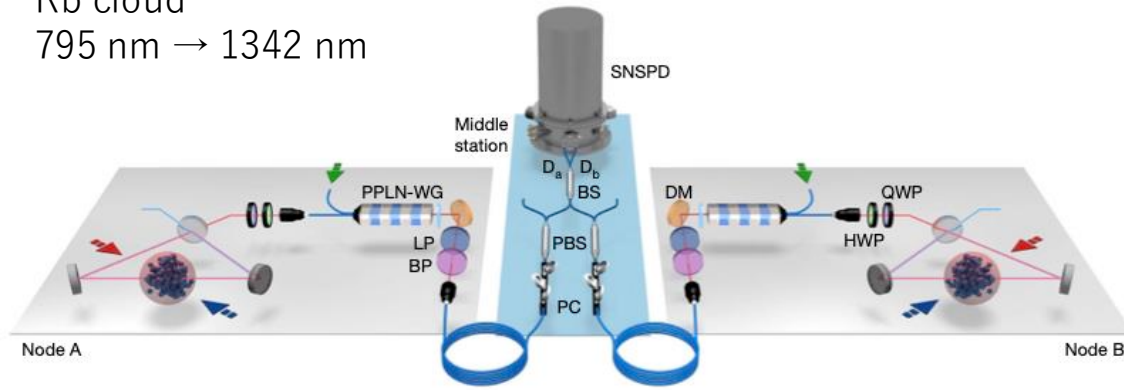


~ 33 % conversion efficiency

Entanglement between remote matter systems using QFC

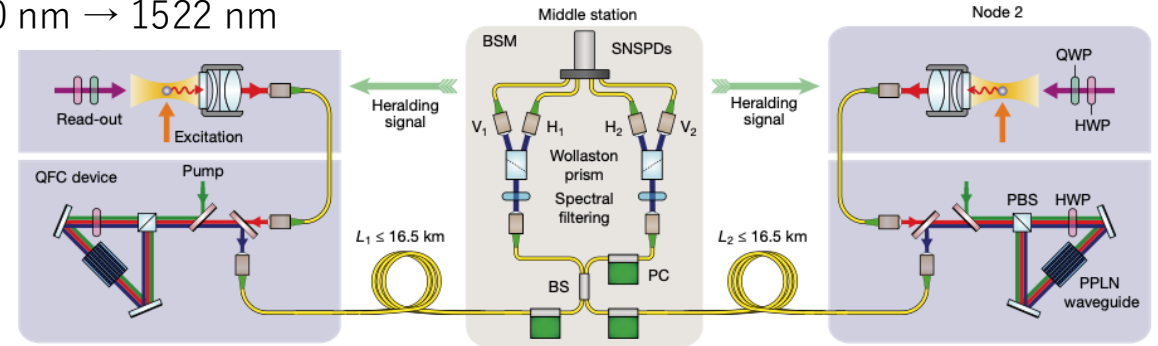
Over 22km deployed fiber (J. W. Pan Group, Nature 2020)

Rb cloud
795 nm $\rightarrow$ 1342 nm

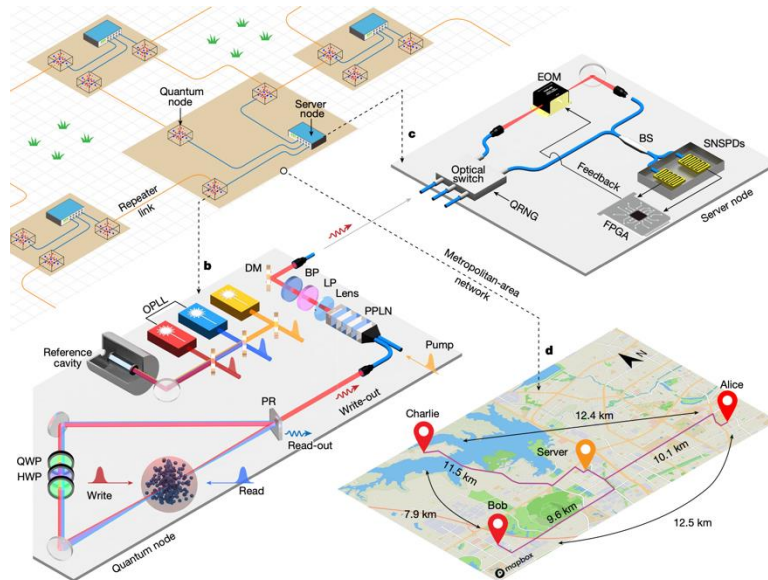


Over 33km fiber (H. Weinfurter Group, Nature 2022)

Single Rb atom
780 nm $\rightarrow$ 1522 nm

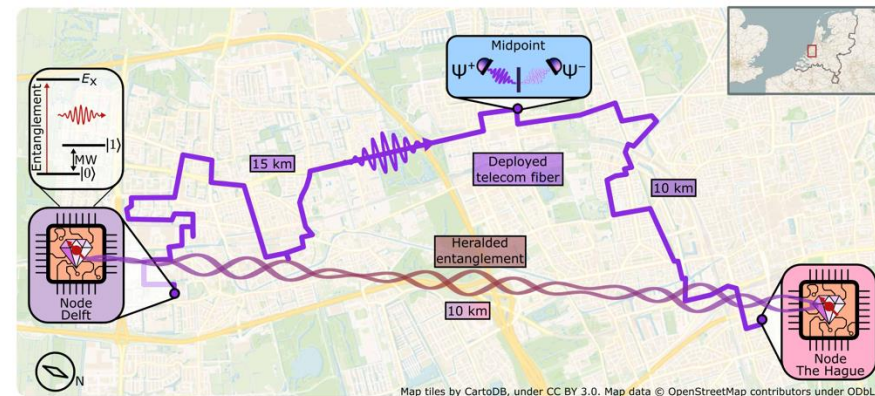


Between any pair of nodes among three
(J. W. Pan Group, Nature 2024)



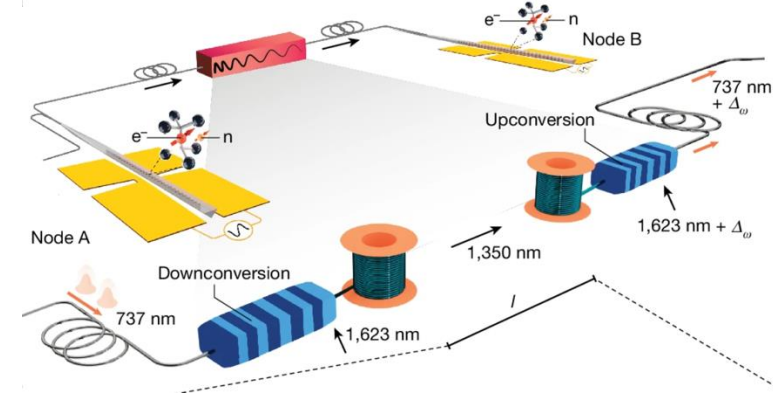
Over 25km deployed fiber
(R. Hanson Group, Sci. Adv. 2024)

NV center
637 nm $\rightarrow$ 1588 nm



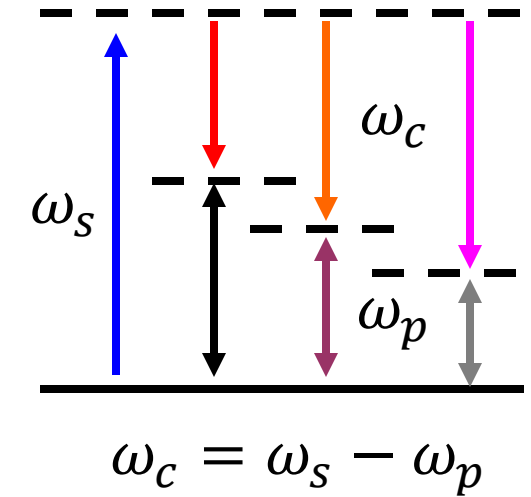
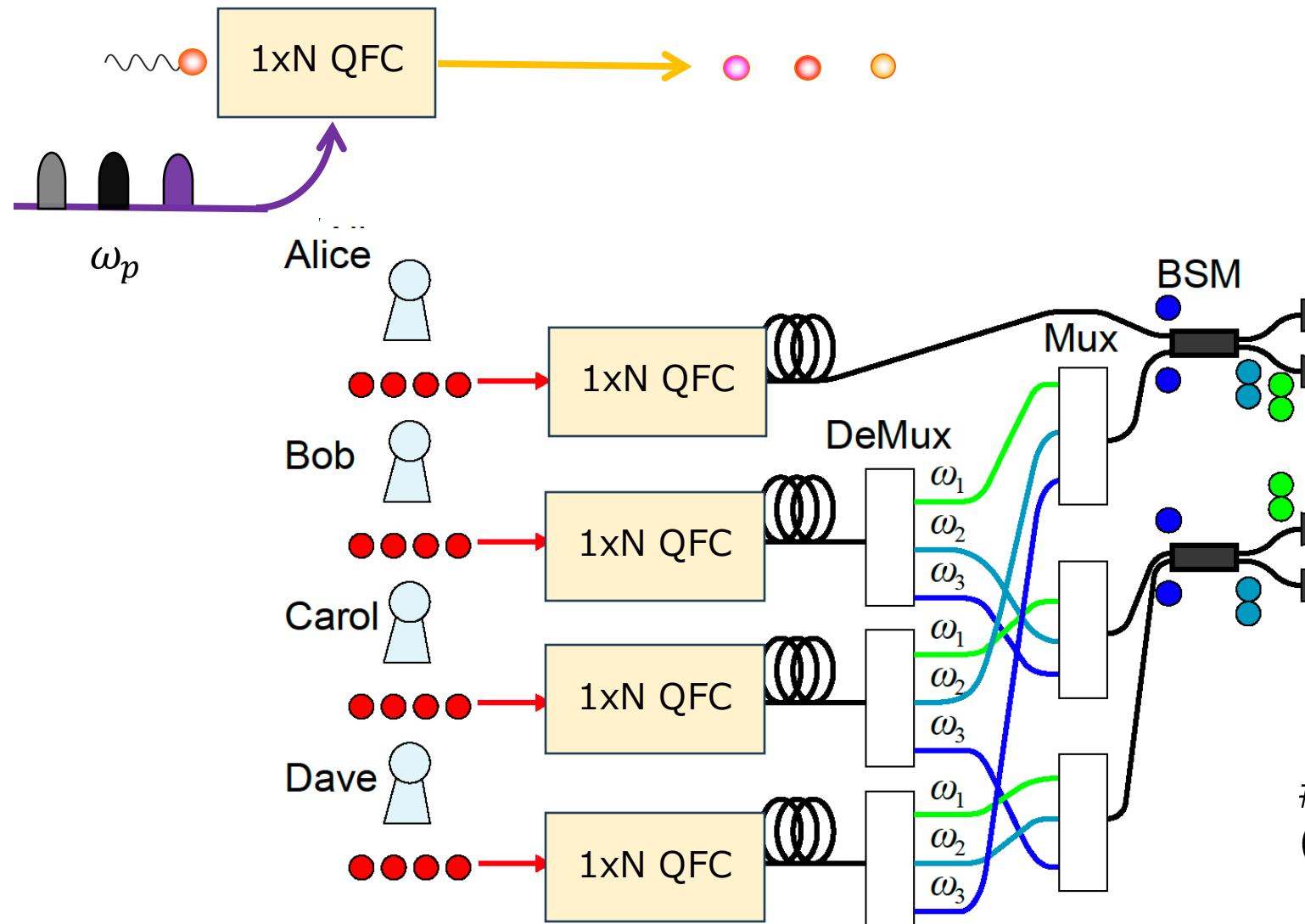
Over 35km deployed fiber
(M. Lukin Group, Nature 2024)

SiV center
737 nm $\rightleftharpoons$ 1350 nm



1xN channel selective quantum frequency conversion

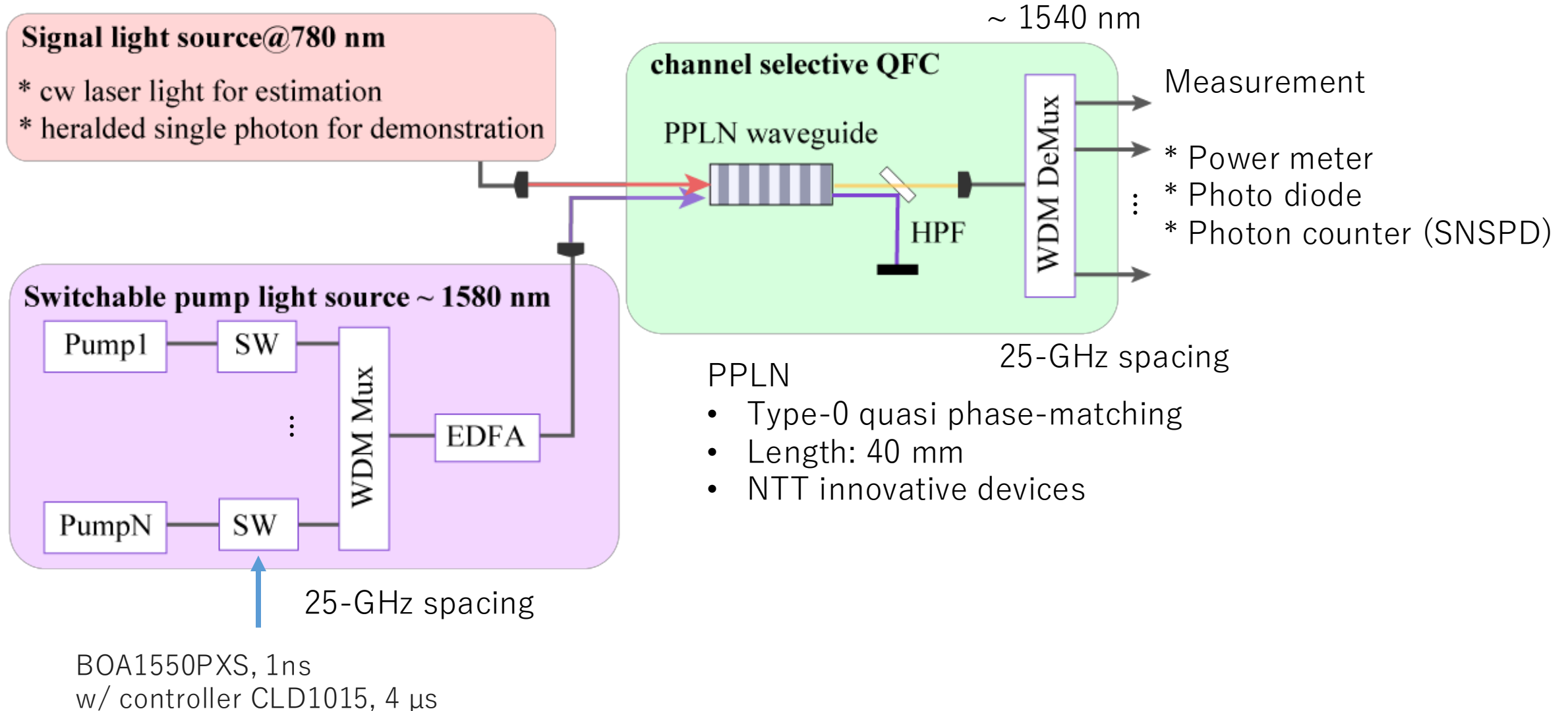
T. Arizono et al., arXiv: 2409.08025 (2024)



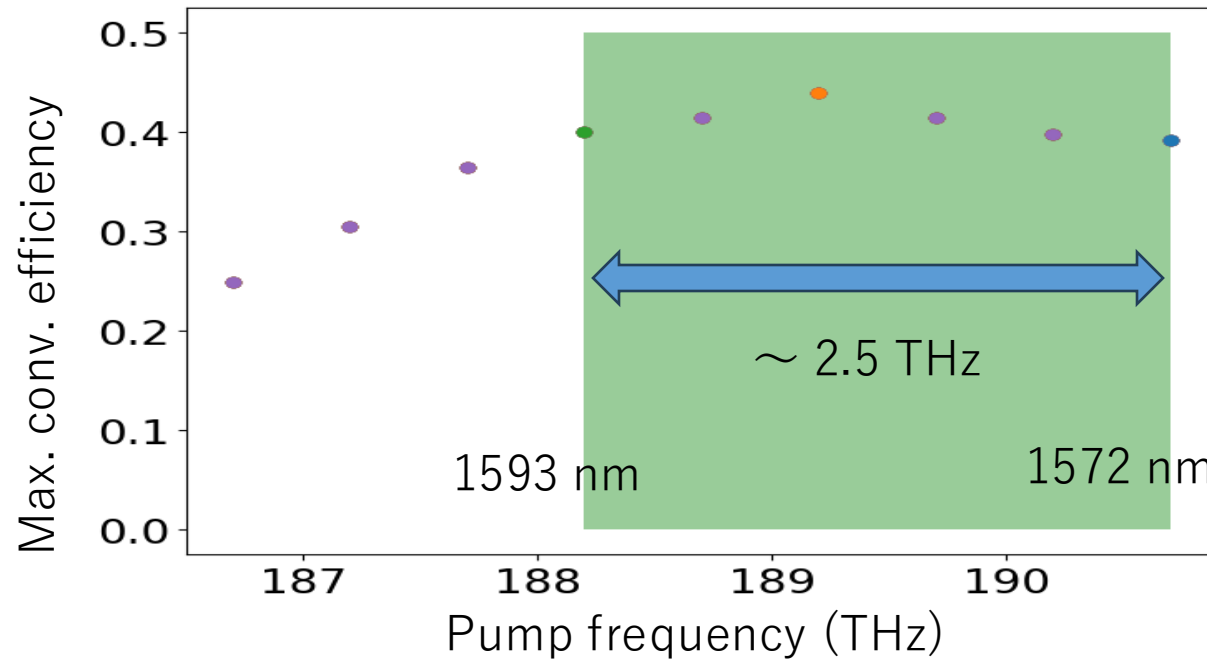
of BSM, MuX, DeMux : $O(N)$
(Vizing's theorem)

Experimental setup

T. Arizono et al., arXiv: 2409.08025 (2024)

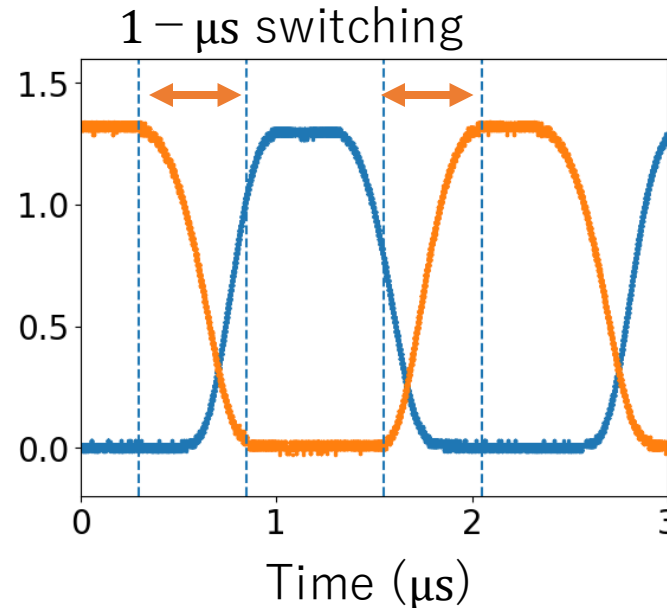
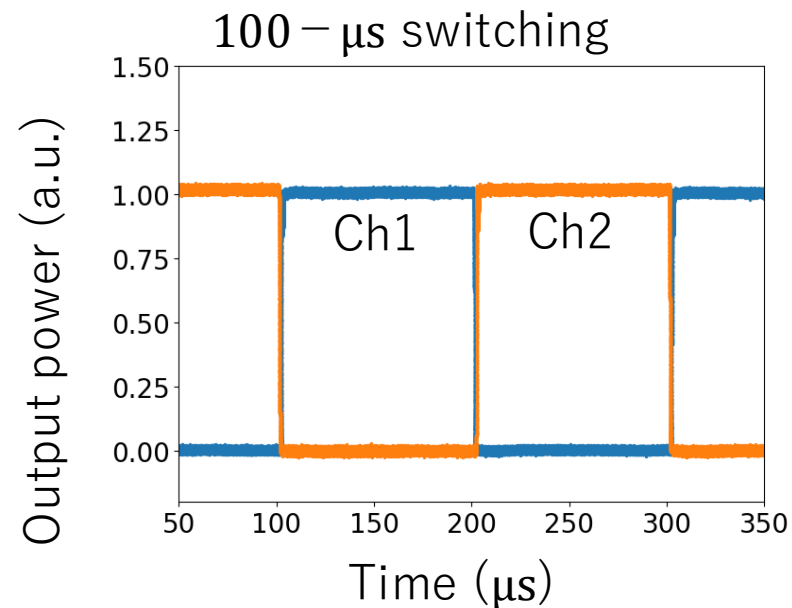


Experimental result: Bandwidth and switching speed



T. Arizono et al., arXiv: 2409.08025 (2024)

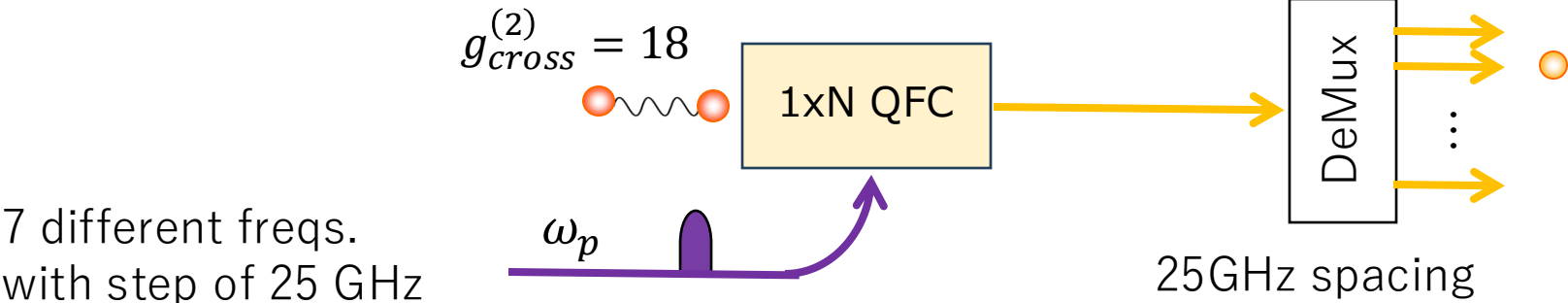
Over 100-ch multiplexing is possible with 25-GHz spacing.



- Rise/Fall time is $\sim 0.5 \mu\text{s}$
- The speed is enough to route narrowband photons emitted from atomic or ionic systems.

Experimental result: QFC of photons

T. Arizono et al., arXiv: 2409.08025 (2024)



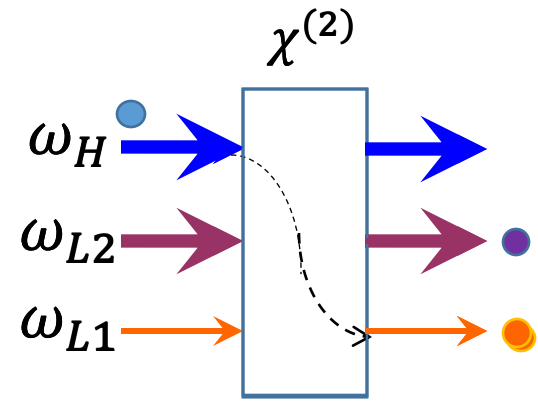
	pump (ch1)	pump (ch2)	pump (ch3)	pump (ch4)	pump (ch5)	pump (ch6)	pump (ch7)
output ch1	7.35 ± 0.22	1.00 ± 0.03	0.97 ± 0.03	1.02 ± 0.02	1.00 ± 0.03	0.99 ± 0.02	1.01 ± 0.02
output ch2	0.96 ± 0.03	7.79 ± 0.17	1.01 ± 0.03	1.00 ± 0.02	1.00 ± 0.03	1.00 ± 0.02	1.00 ± 0.02
output ch3	1.01 ± 0.03	1.03 ± 0.03	7.56 ± 0.17	1.01 ± 0.02	1.02 ± 0.03	0.99 ± 0.02	0.99 ± 0.02
output ch4	0.99 ± 0.03	1.00 ± 0.02	0.98 ± 0.03	7.01 ± 0.14	0.99 ± 0.03	1.01 ± 0.02	1.00 ± 0.02
output ch5	1.00 ± 0.03	1.00 ± 0.02	1.02 ± 0.03	1.03 ± 0.02	6.73 ± 0.21	1.02 ± 0.02	0.98 ± 0.03
output ch6	1.01 ± 0.03	0.99 ± 0.02	1.00 ± 0.03	1.01 ± 0.02	1.01 ± 0.03	6.61 ± 0.13	1.00 ± 0.02
output ch7	0.98 ± 0.03	0.98 ± 0.02	1.00 ± 0.03	1.03 ± 0.02	1.03 ± 0.03	1.02 ± 0.03	6.39 ± 0.13

1xN channel sepective QFC was successfully demonstrated.

QIP based on second-order nonlinear optical interaction

A periodically poled LiNbO₃ (PPLN) waveguide is widely used in QIP:

1. A large variety of wavelength selection is possible by adjusting poling period.
2. Waveguide structure gives the long interaction time.



$$\text{Hamiltonian : } \hat{\mathcal{H}} = i\hbar g \left(\hat{a}_{L2}^\dagger \hat{a}_H \hat{a}_{L1}^\dagger - \hat{a}_{L2} \hat{a}_H^\dagger \hat{a}_{L1} \right)$$

Application 1: Quantum frequency conversion (QFC)

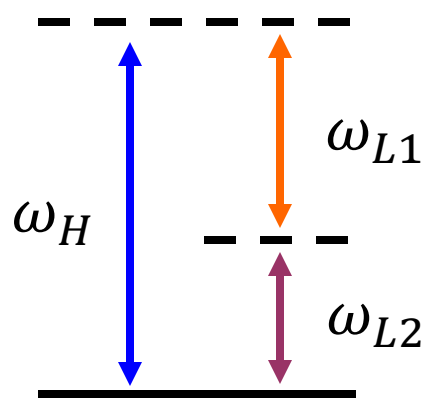
Pump light:	L2
Input mode:	H or L1 (single photon)
Output mode:	L1 or H (single photon)

$$\hat{\mathcal{H}}_{eff} = i\hbar \left(\xi_2 \hat{a}_H \hat{a}_{L1}^\dagger - \xi_2^* \hat{a}_H^\dagger \hat{a}_{L1} \right) \quad \xi_2 = g \langle \hat{a}_{L2} \rangle$$

Application 2: Photon pair generation

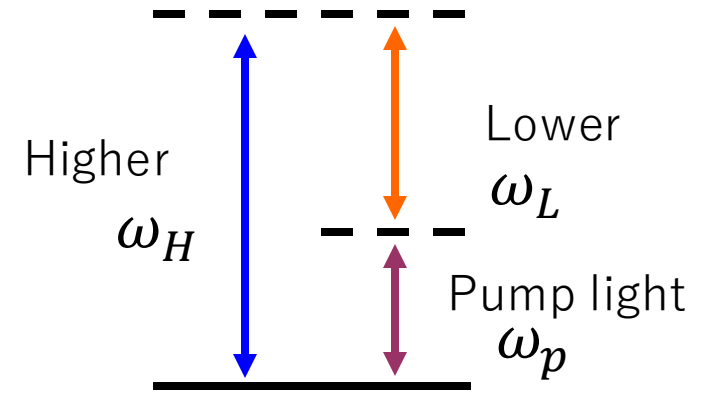
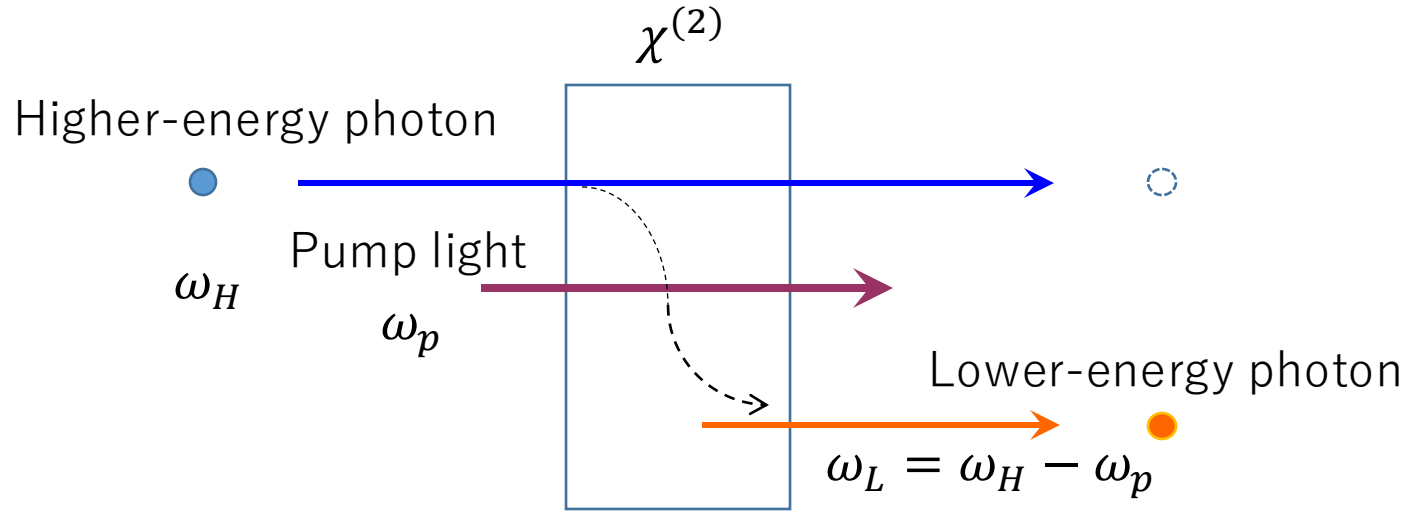
Pump light:	H
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$$(\omega_H = \omega_{L1} + \omega_{L2})$$

QFC as a frequency-domain beamsplitter



Hamiltonian :

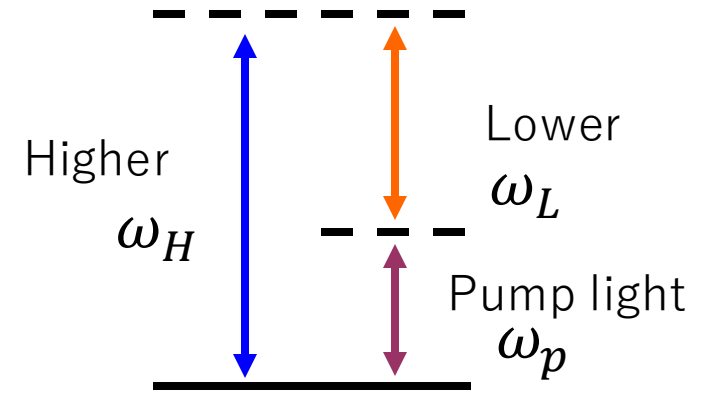
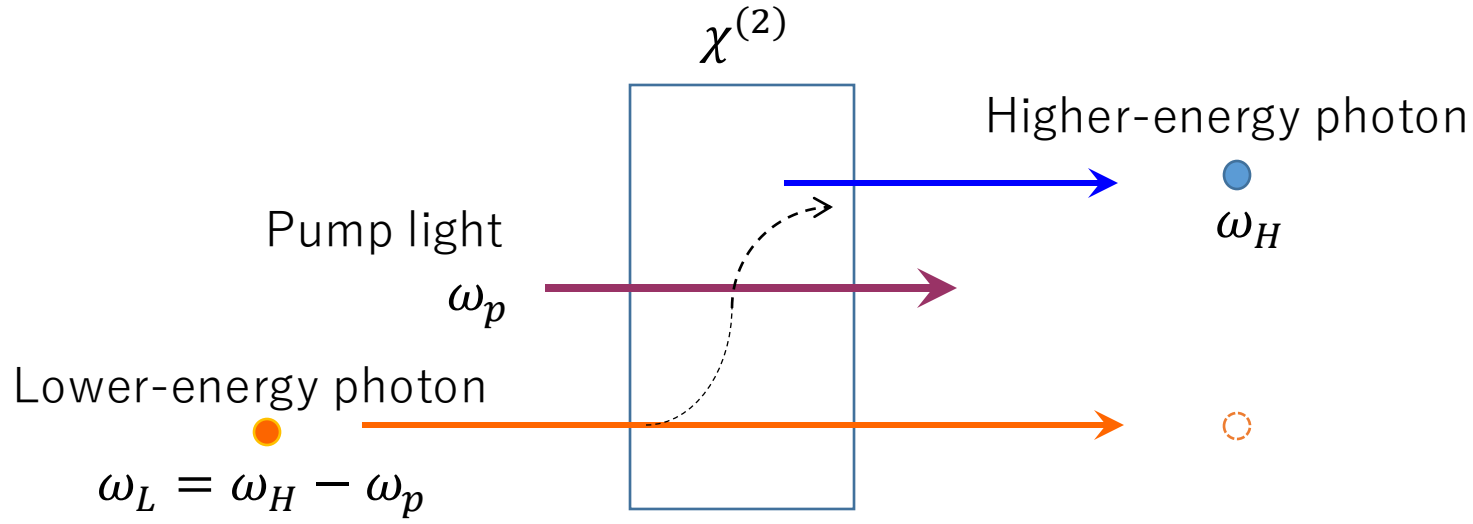
$$\hat{\mathcal{H}} = ig \left(\hat{a}_P^\dagger \hat{a}_H \hat{a}_L^\dagger - \hat{a}_P \hat{a}_H^\dagger \hat{a}_L \right) \quad (\xi = g \langle \hat{a}_P \rangle \text{ Sufficiently strong pump light})$$

$$\sim i(\xi^* \hat{a}_H \hat{a}_L^\dagger - \xi \hat{a}_H^\dagger \hat{a}_L)$$

Input-output relation :

$$\begin{pmatrix} a_{H,out} \\ a_{L,out} \end{pmatrix} = \begin{pmatrix} \cos(\theta/2) & -e^{-i\phi} \sin(\theta/2) \\ e^{i\phi} \sin(\theta/2) & \cos(\theta/2) \end{pmatrix} \begin{pmatrix} a_{H,in} \\ a_{L,in} \end{pmatrix}, \quad (\theta/2 = |\xi|\tau)$$

QFC as a frequency-domain beamsplitter

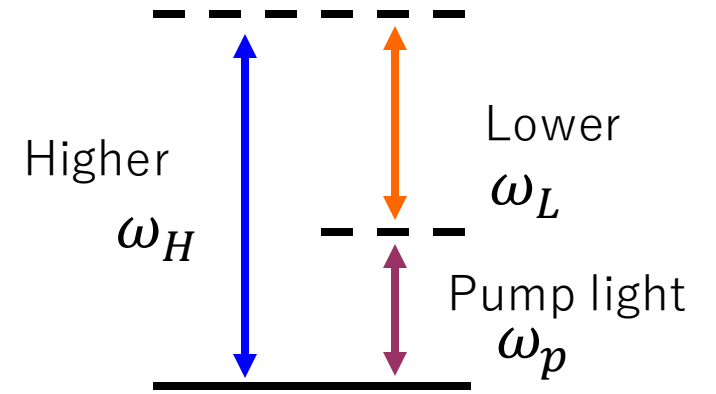
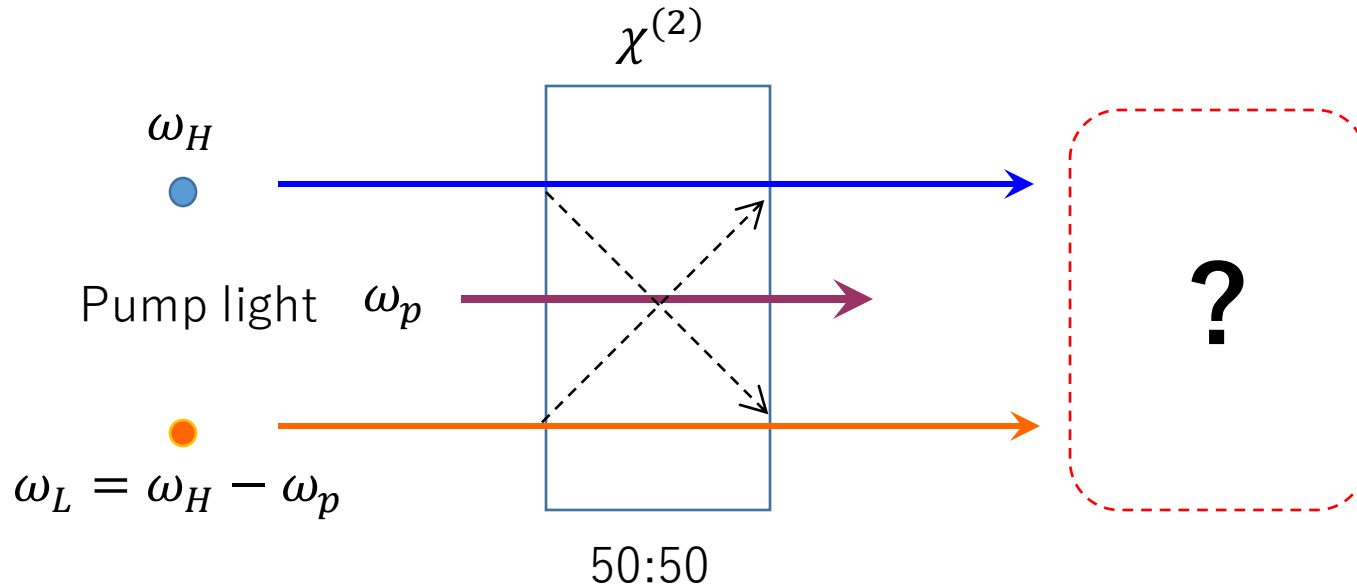


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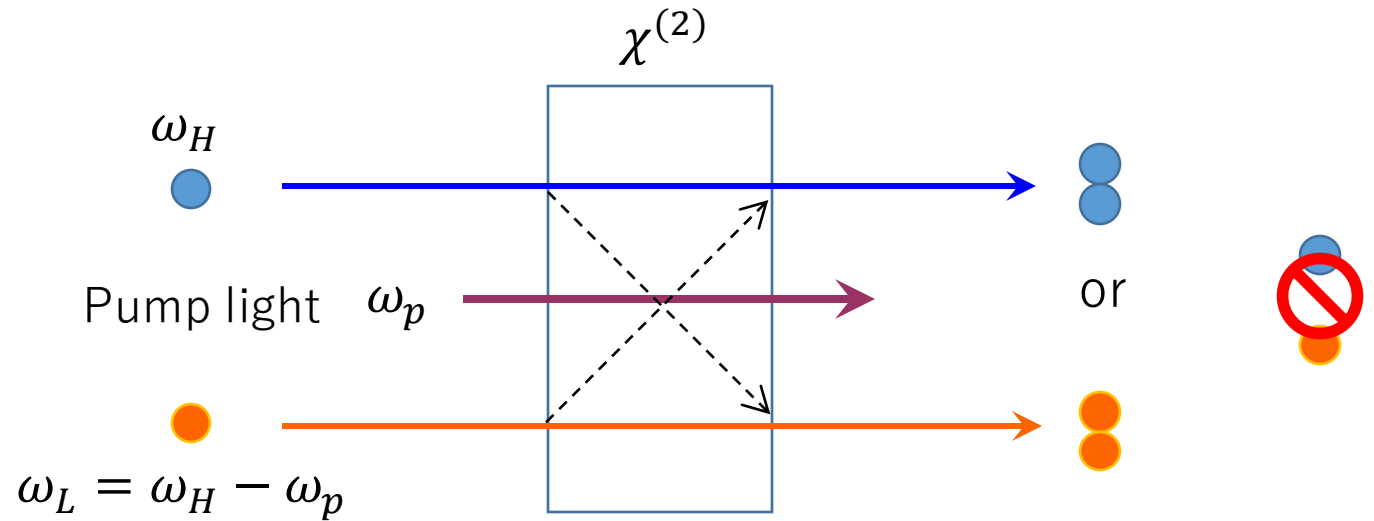
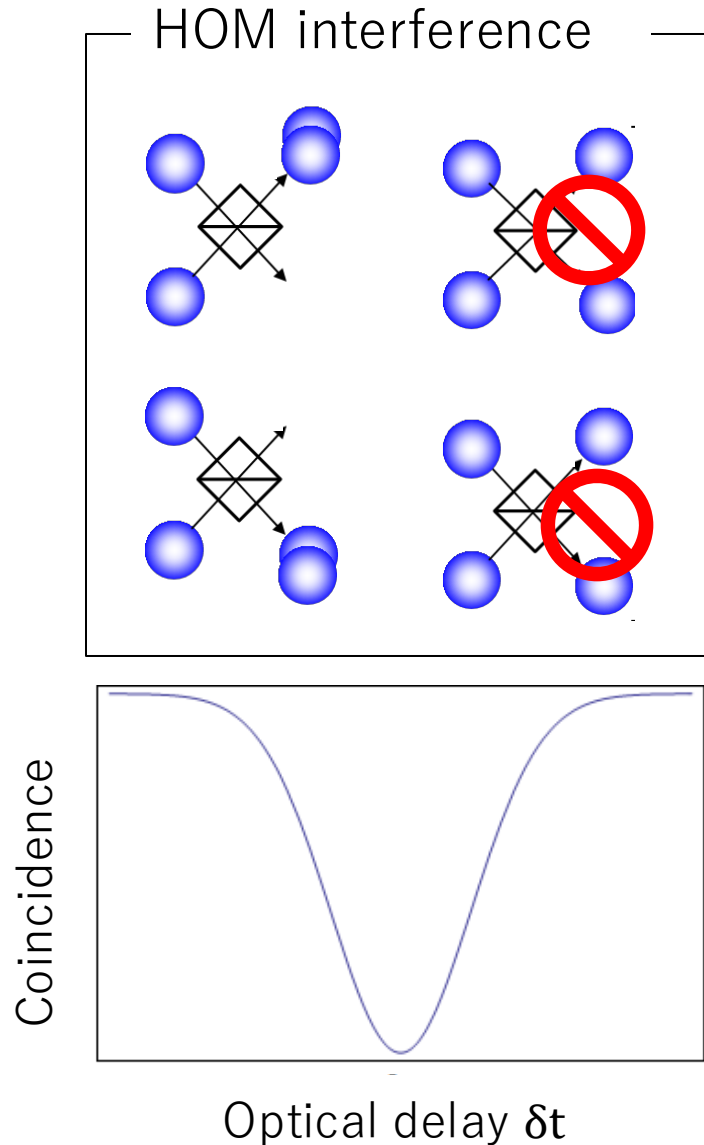
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$$\begin{pmatrix} a_{H,out} \\ a_{L,out} \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 & -1 \\ 1 & 1 \end{pmatrix} \begin{pmatrix} a_{H,in} \\ a_{L,in} \end{pmatrix} \quad \text{Half beamsplitter}$$

Frequency-domain Hong-Ou-Mandel interference

C. K. Hong, Z. Y. Ou, and L. Mandel, PRL 59, 2044 (1987).

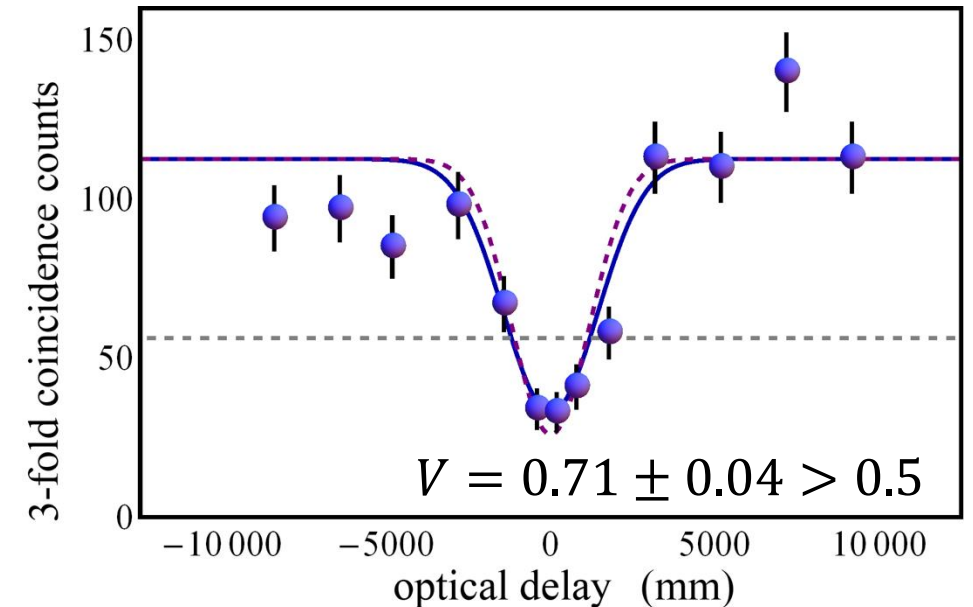
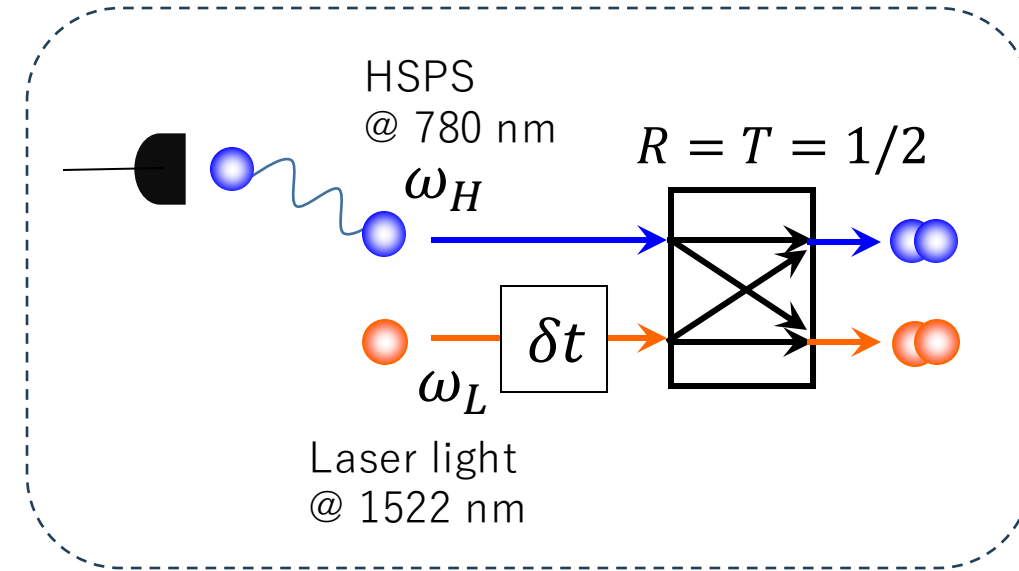
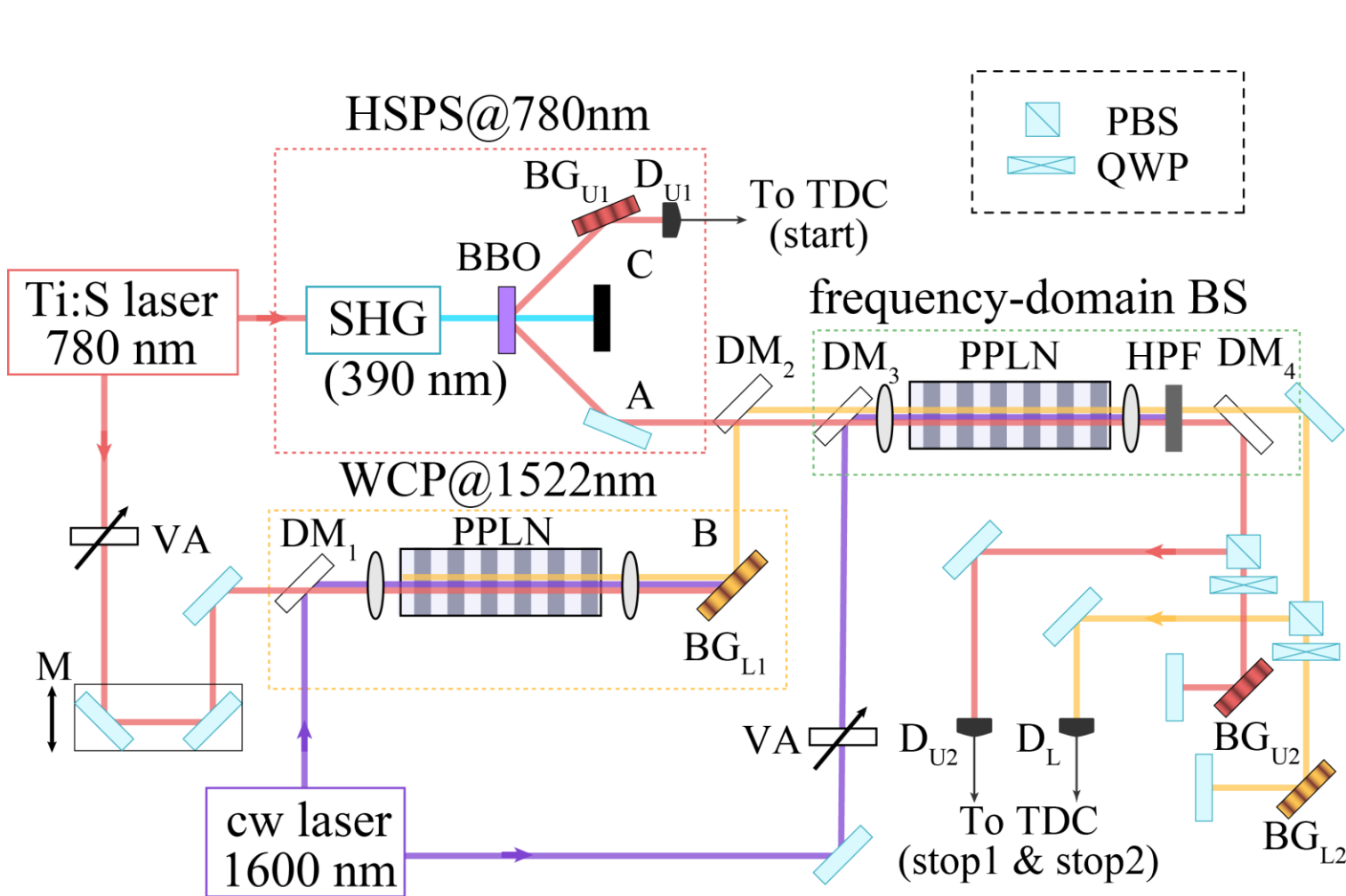


Different-color two photons can interfere!

T. Kobayashi, Rl et al., Nature Photonics 10, 441 (2016).

Frequency-domain Hong-Ou-Mandel interference

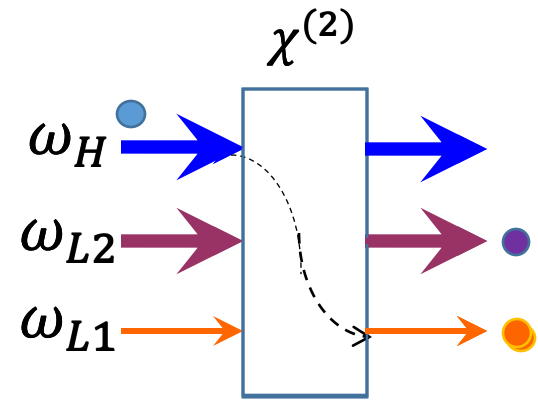
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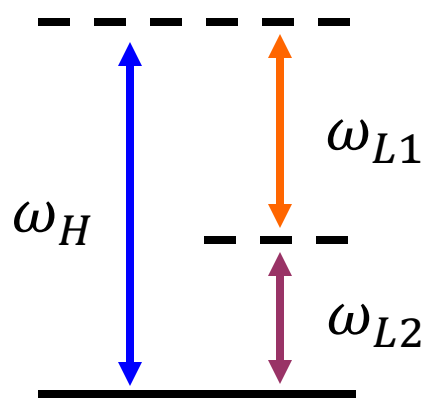


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Application 2: Photon pair generation

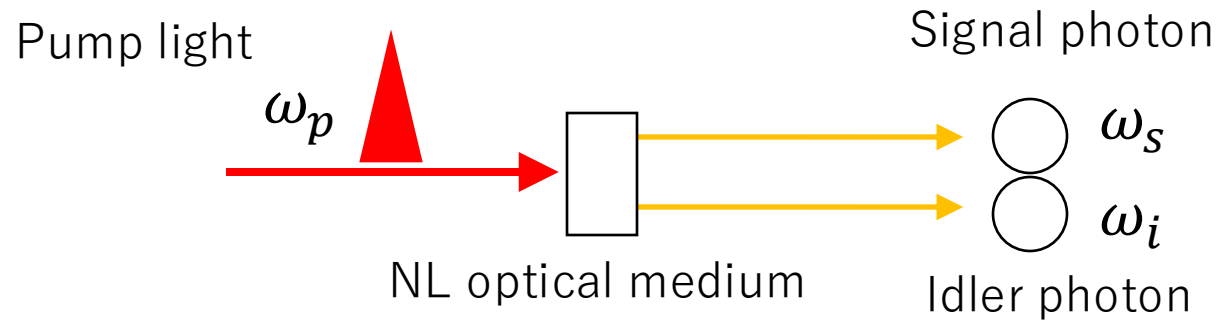
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$$(\omega_H = \omega_{L1} + \omega_{L2})$$

SPDC-based photon pairs

- Photon pairs based on spontaneous parametric down conversion (SPDC) is an important resource for QIP.



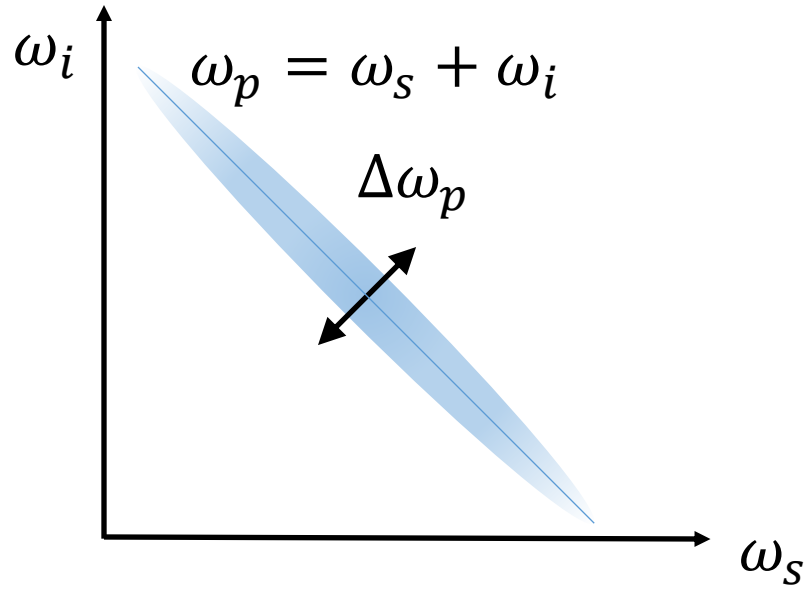
- Photon pairs satisfy
 - Energy conservation :
 - Phase matching condition:

$$\omega_p = \omega_s + \omega_i$$

$$k_p = k_s + k_i$$

for $\chi^{(2)}$ medium

SPDC-based photon pairs



- The biphoton spectral range is determined by energy conservation and phase matching condition.

$$\iint d\omega_s d\omega_i f(\omega_p, \Delta\omega_p) a_s^\dagger(\omega_s) a_i^\dagger(\omega_i)$$

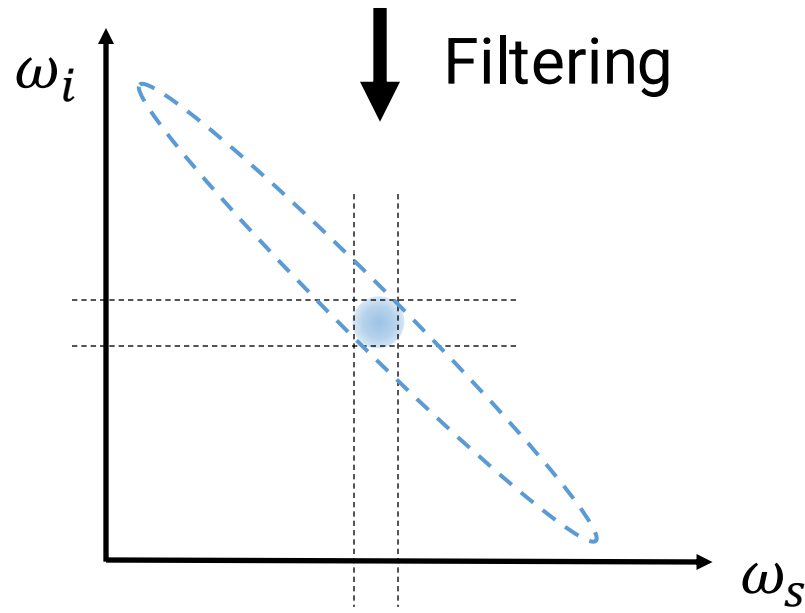
- Frequency filters are used for extracting a frequency uncorrelated photon pair mode.

- Effective Hamiltonian

$$H = i\hbar g_p a_s^\dagger a_i^\dagger + H.c.$$

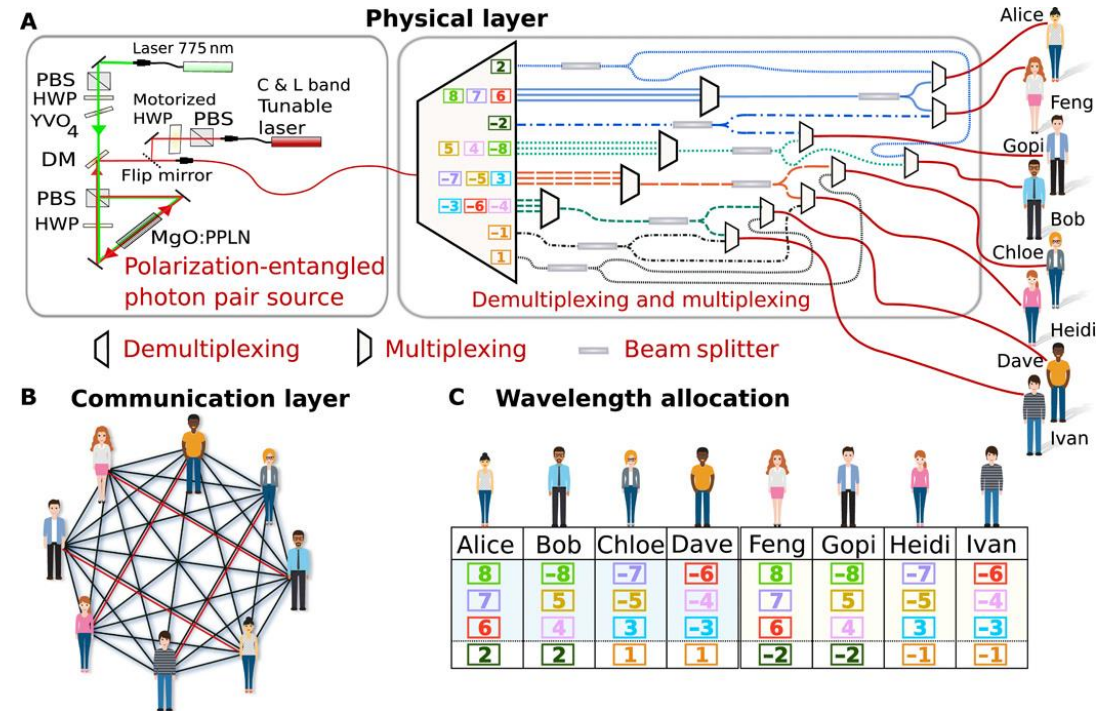
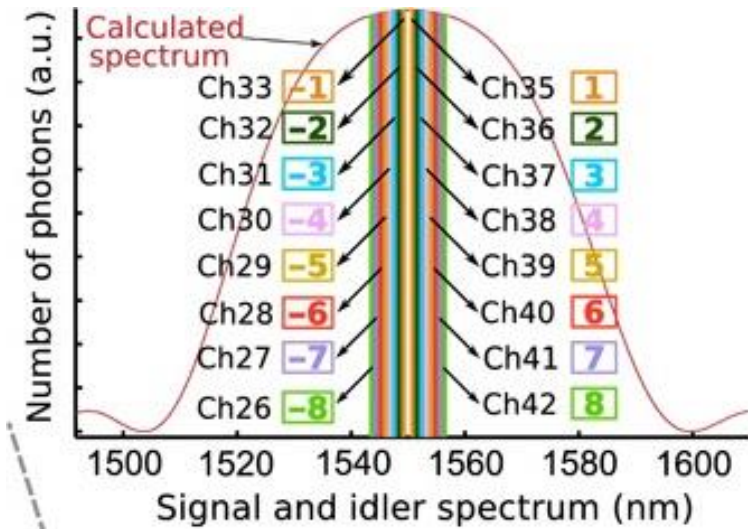
↓

$$|\phi\rangle \sim \sum_{n=0}^{\infty} \gamma^n |n\rangle_s |n\rangle_i \sim |1\rangle_s |1\rangle_i \quad (\gamma \ll 1)$$



Frequency-multiplexed entanglement distribution

- Wavelength Division Multiplexing (WDM) technology has been widely used to boost efficiency of entanglement distribution.
- Usually, entanglement distribution has been performed by conventional broadband entangled photon-pair generation based on spontaneous parametric down-conversion (SPDC) followed by application of WDM-compatible frequency filters developed for fiber-optic communication.

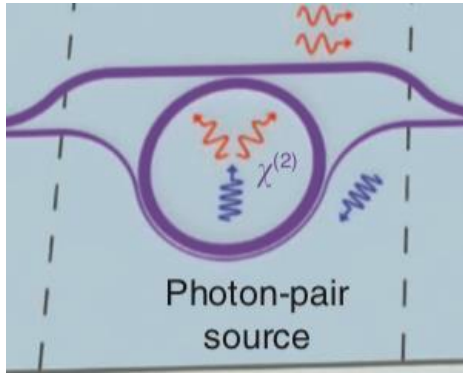


S. K. Joshi et al., Sci Adv 6 (2020).

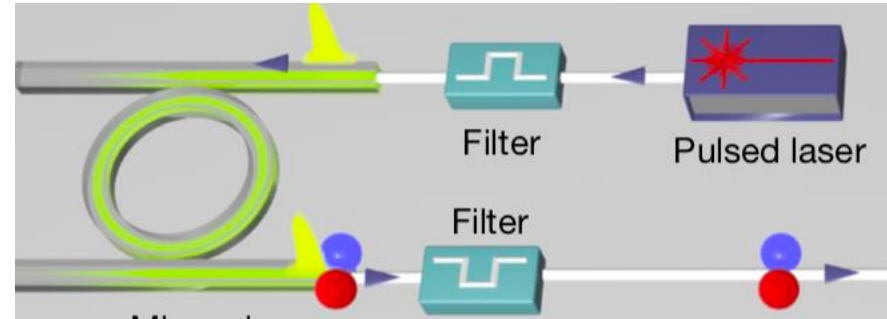
Using 16 wavelength division channels, 8 entangled photon pairs are shared among 8 people.

Frequency multiplexing

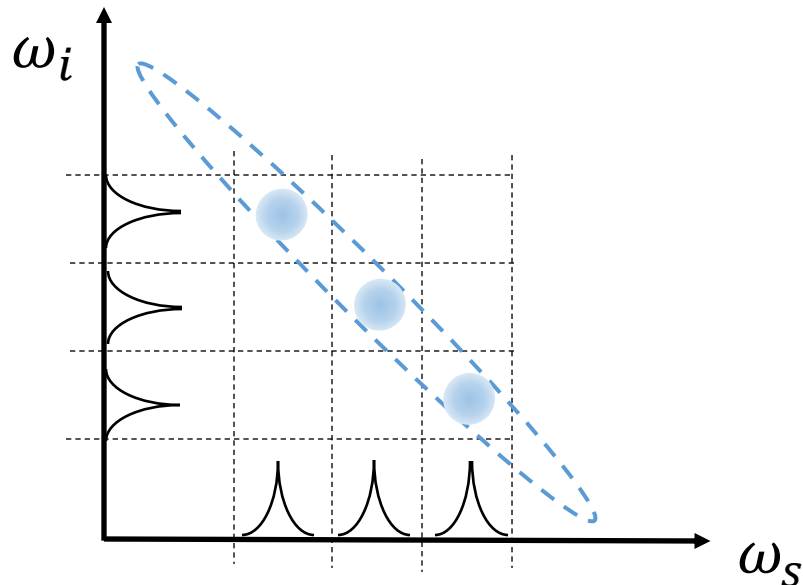
- Optical cavities can be used for frequency multiplexing of photon pairs.



X. Guo et al., Light (2017).



M. Kues et al., Nature (2017).

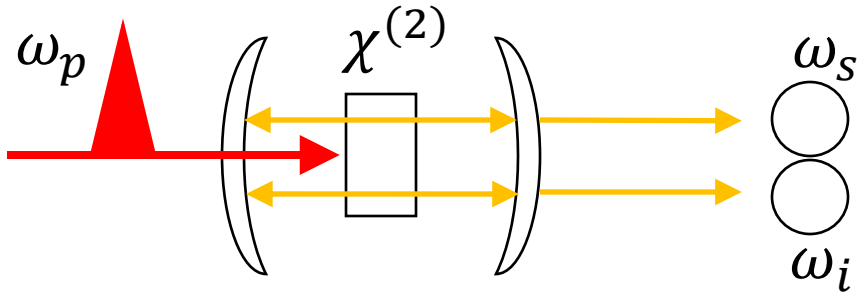


- Photon pairs separated for each FSR of the cavity :

$$|\phi\rangle \sim \sum_{m=-\infty}^{\infty} g_m |\omega_{s,m}\rangle |\omega_{i,m}\rangle$$

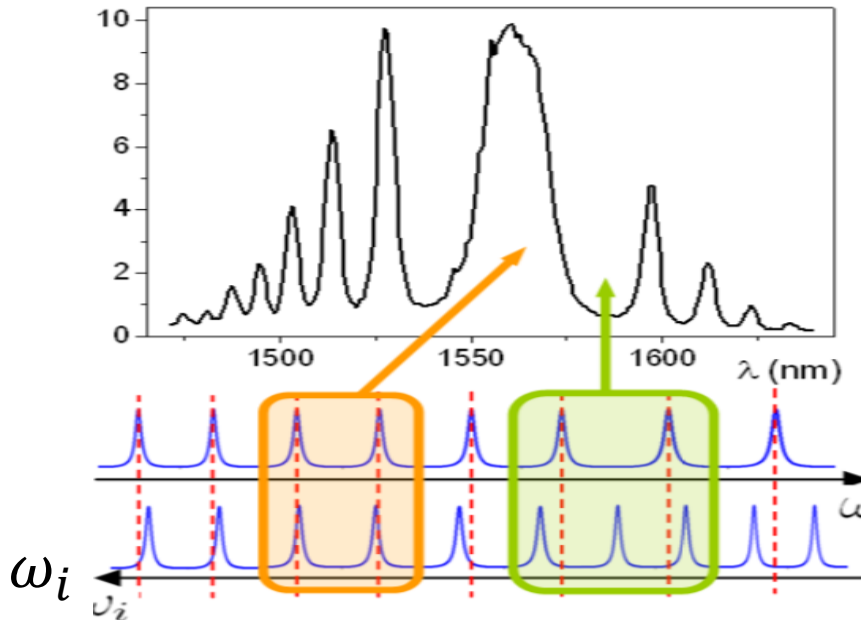
- Biphotons in all modes can be simultaneously used.
“biphoton frequency comb”

Frequency multiplexing



- Flexible design of target frequencies and optical cavities
- Use of dense frequency modes

- Broadband photon pair generation is prevented by the clustering effect.

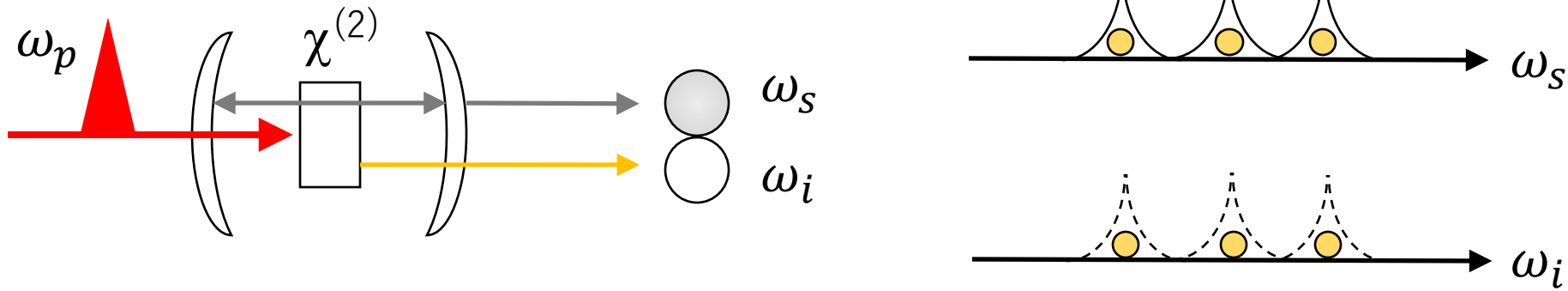


- $FSR = c/(2n(\omega)L)$ depends on frequency.
- Energy conservation and cavity resonant condition is not always satisfied:
when $\omega_{s0} + \omega_{i0} = \omega_p$ is satisfied,
 $(\omega_{s0} + mFSR_s) + (\omega_{i0} - mFSR_i) \neq \omega_p$??

E. Pomarico et al., NJP (2009)

Our motivation

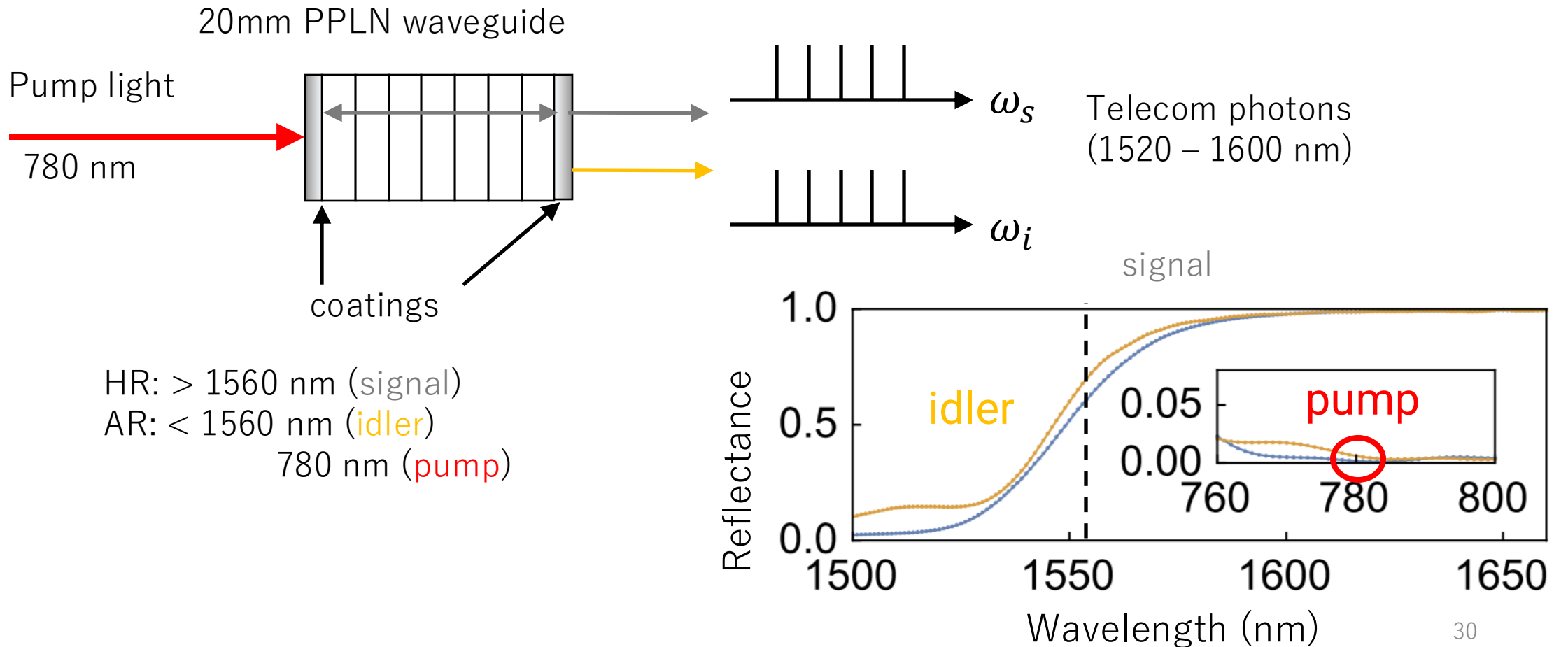
- We perform singly-resonant photon pair generation with a cavity in which **only signal photons are confined (idler photons are not confined)**.



- Due to the energy conservation $\omega_p = \omega_s + \omega_i$, not only the signal but also idler photons have comb-like spectrum as if the idler photons are confined in the cavity.
- No clustering effect. $\rightarrow$ Broadband photon pair generation is possible.

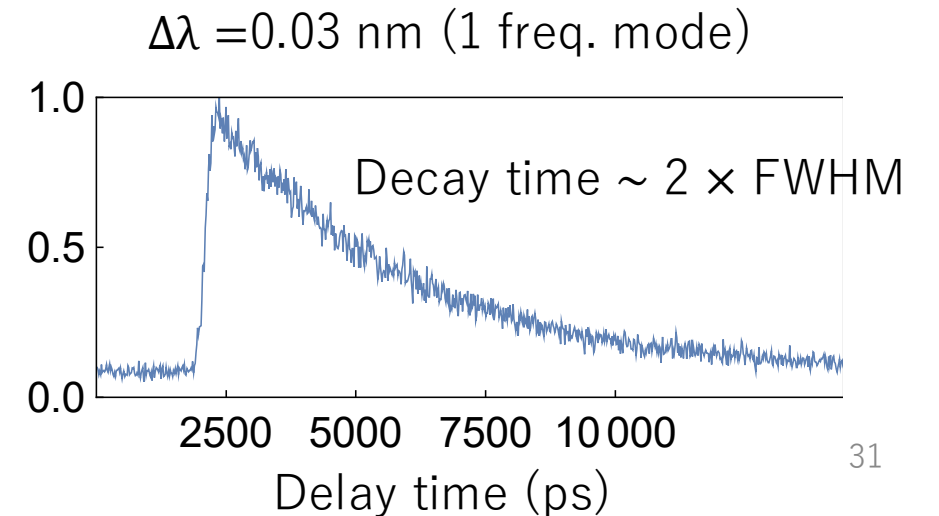
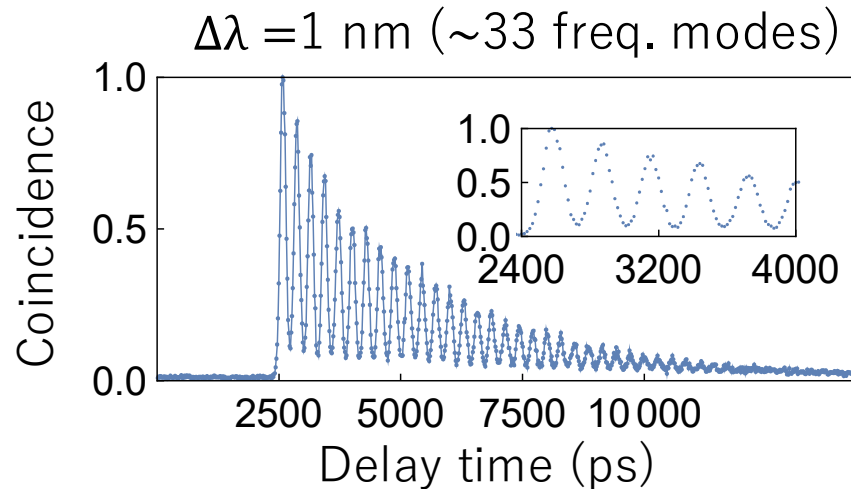
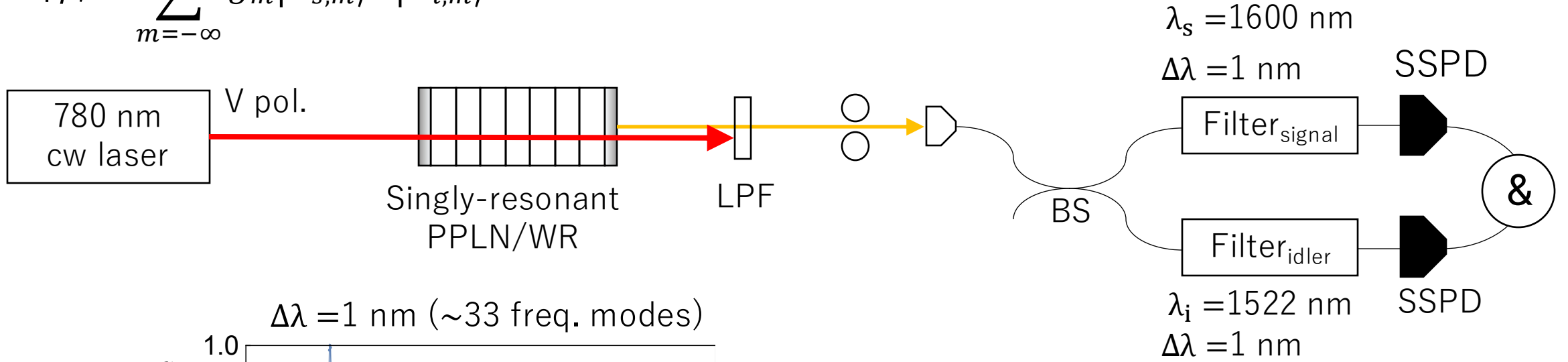
Design of our $\chi^{(2)}$ device with a cavity

- PPLN waveguide + HR/AR coatings at the both ends
→ Singly-resonant PPLN waveguide resonator (PPLN/WR)



Beat measurement

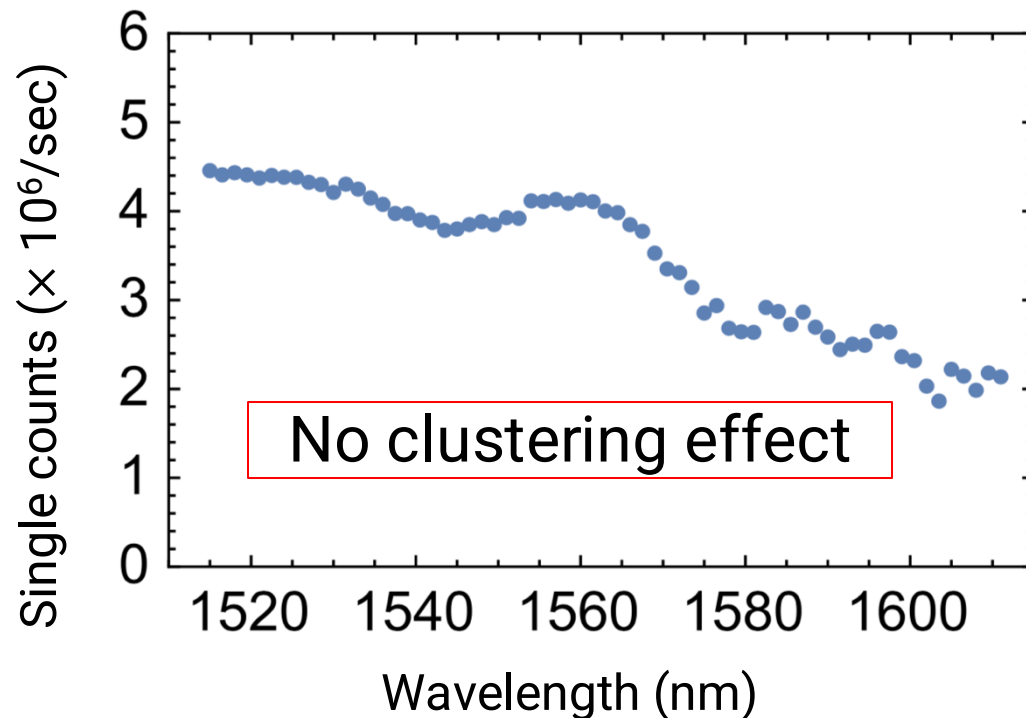
$$|\phi\rangle \sim \sum_{m=-\infty}^{\infty} g_m |\omega_{s,m}\rangle |\omega_{i,m}\rangle$$



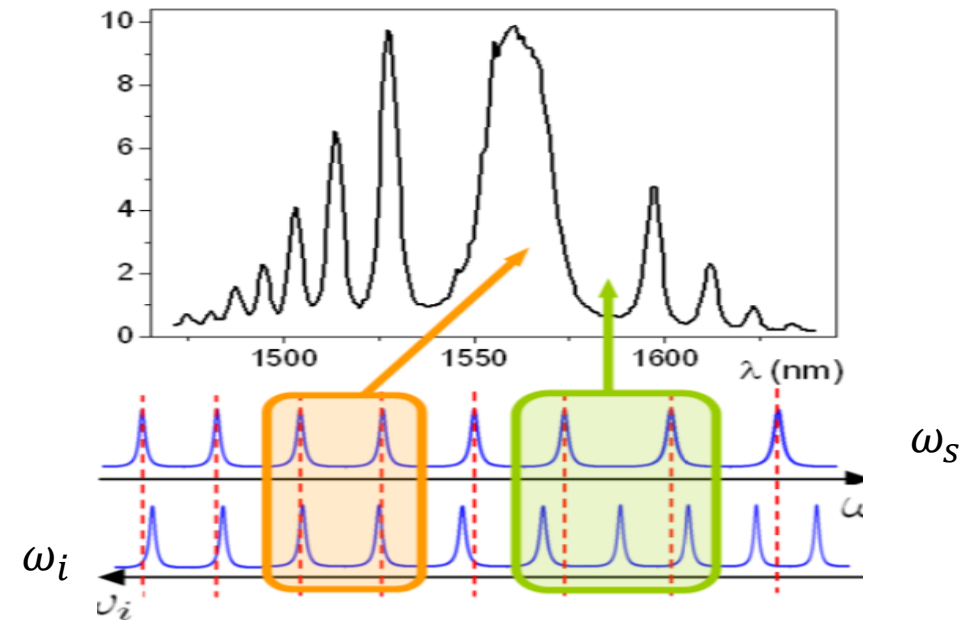
- $T = 285 \text{ ps}$ (3.5GHz corresponding to FSR)

Observation of no clustering effect

- Single count measurement for various wavelengths with bandwidth $\Delta\lambda = 3$ nm



cf.) Doubly resonant condition

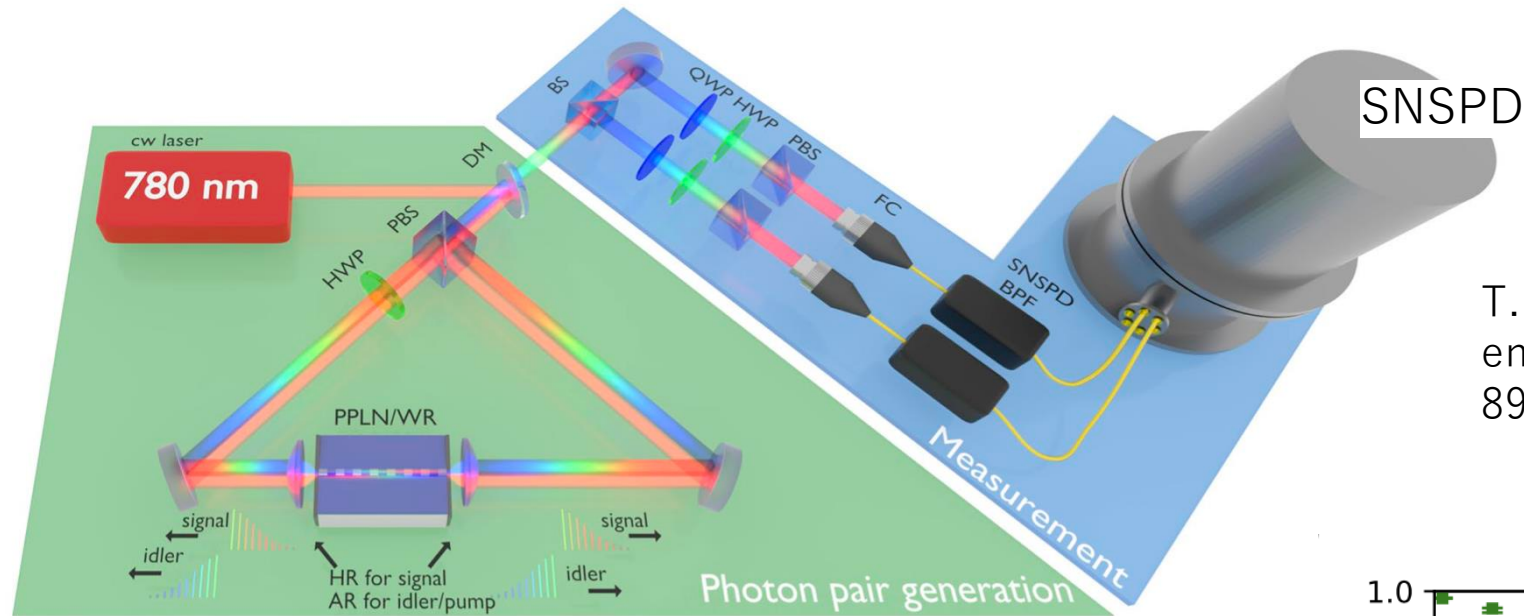


E. Pomarico et al., NJP (2009)

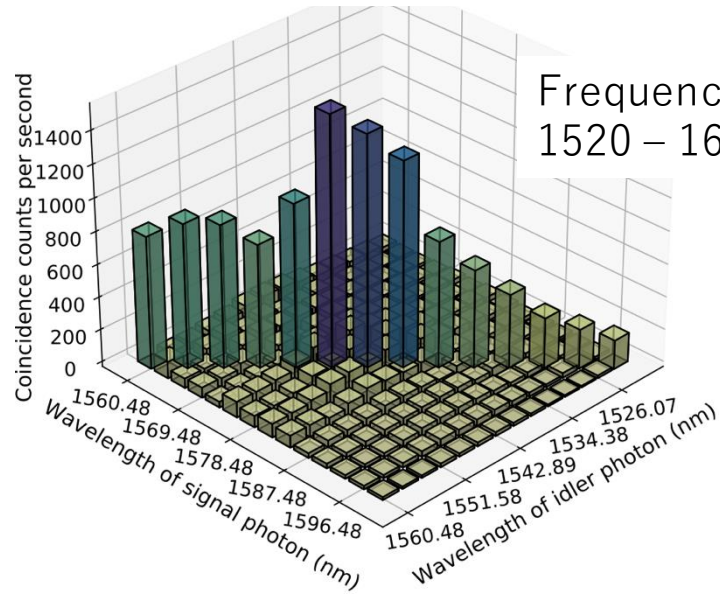
- > 1000 frequency modes (~ 1400 modes) in the range of 1520 nm to 1600 nm

Frequency-multiplexed entangled photon pair generation

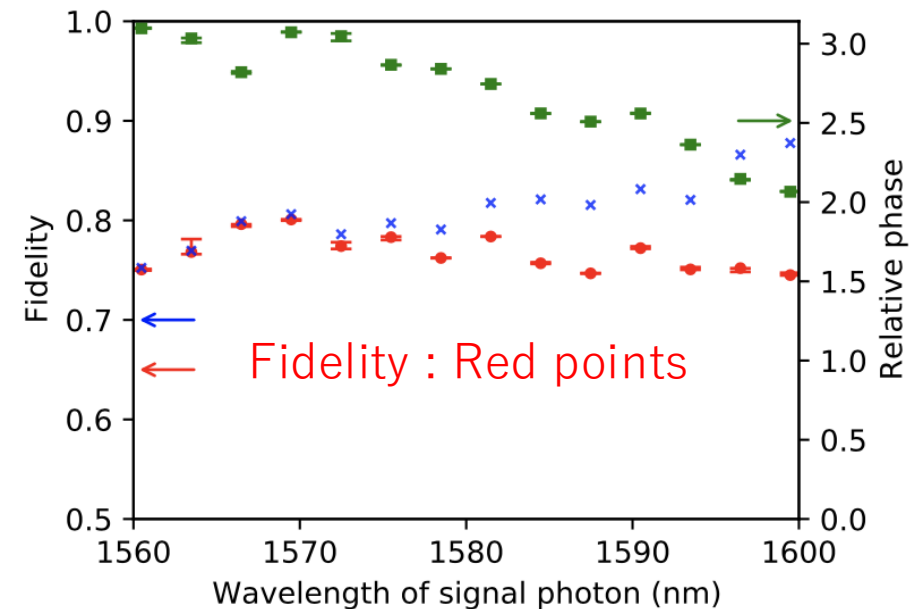
Type-0 PPLN waveguide resonator in the Sagnac type interferometer



T. Yamazaki, RI et al, "Massive-mode polarization entangled biphoton frequency comb," Sci. Rep. 12, 8964 (2022)



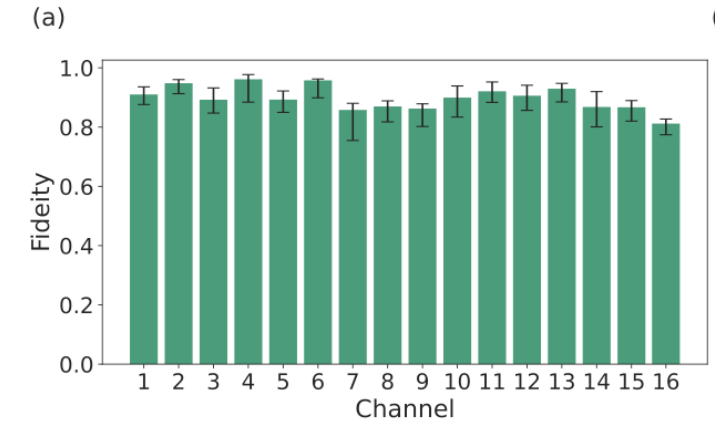
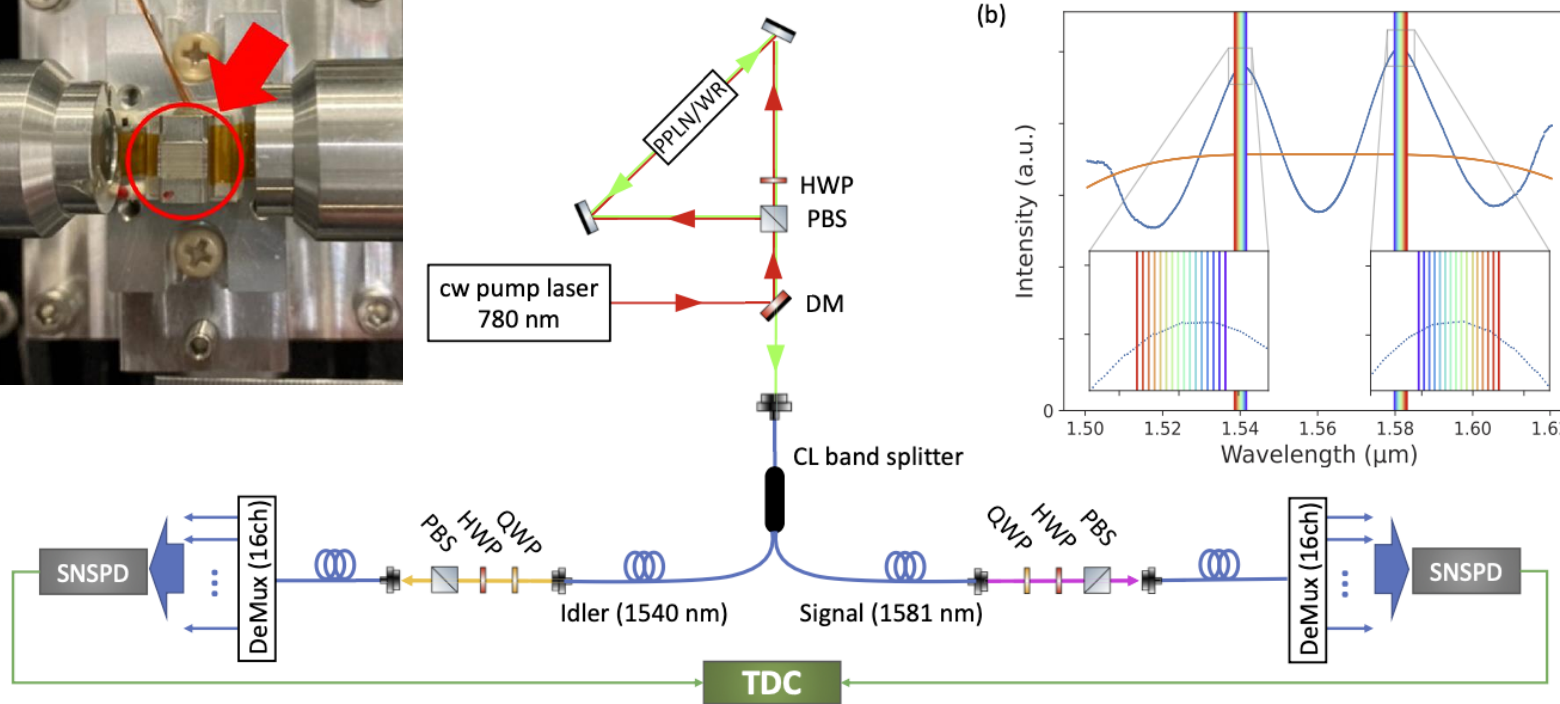
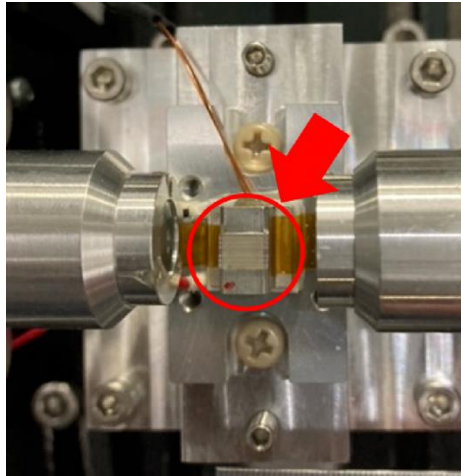
Frequency-correlated photon pairs
1520 – 1600 nm



Frequency-multiplexed entanglement distribution

5.6mmL PPLN/WR

Fujimoto et al, Opt. Exp. 30, 36711 (2022)

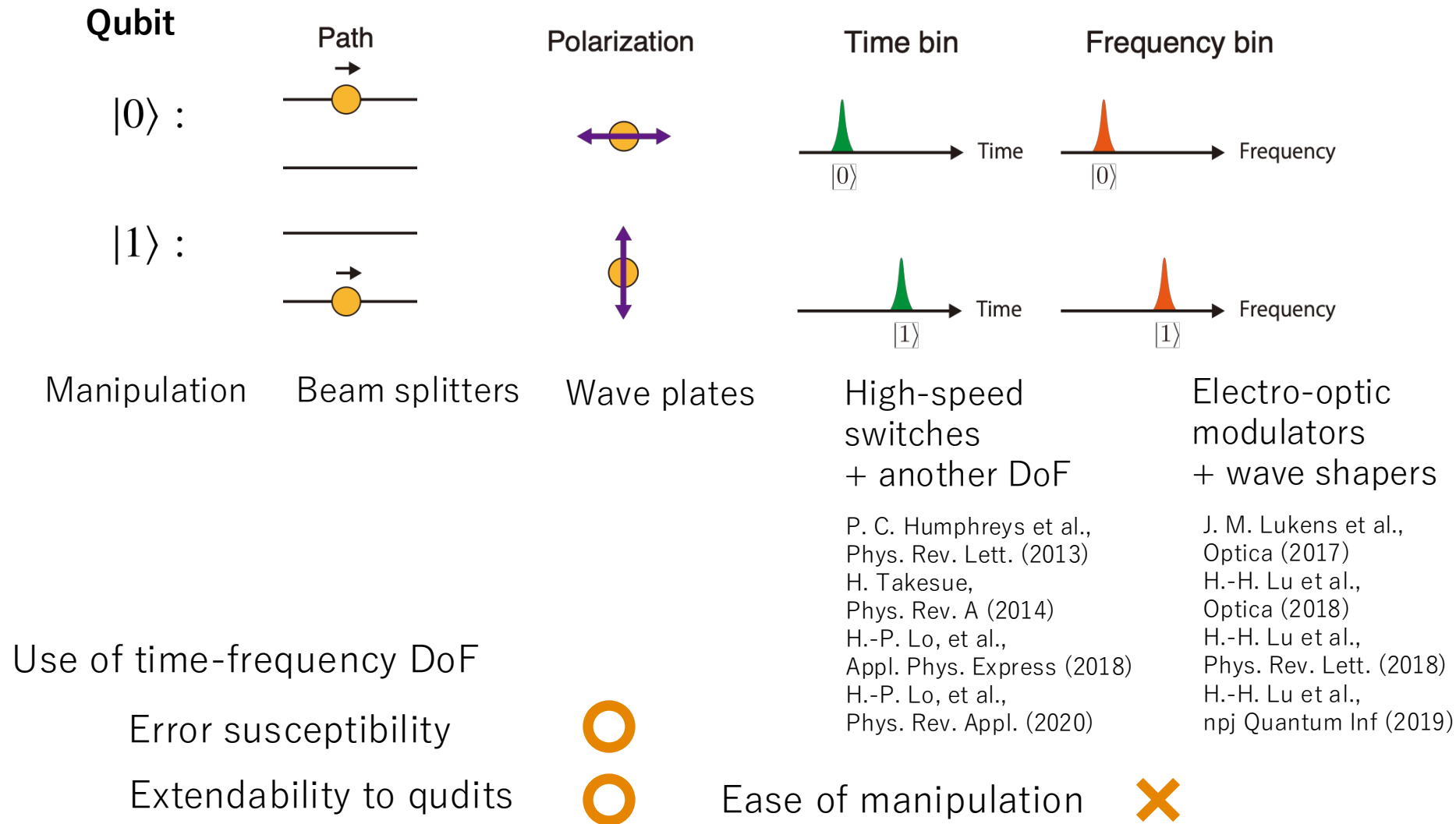


Fidelity > over 90 %

- Using DeMux with 25 GHz spacing, 16ch frequency-multiplexed entanglement distribution was successfully performed.

R. Fujimoto, T. Yamazaki, R. et al, "Entanglement distribution using a biphoton frequency comb compatible with DWDM technology," Opt. Exp. 30, 36711 (2022)

Photonic QIP based on quantum frequency comb

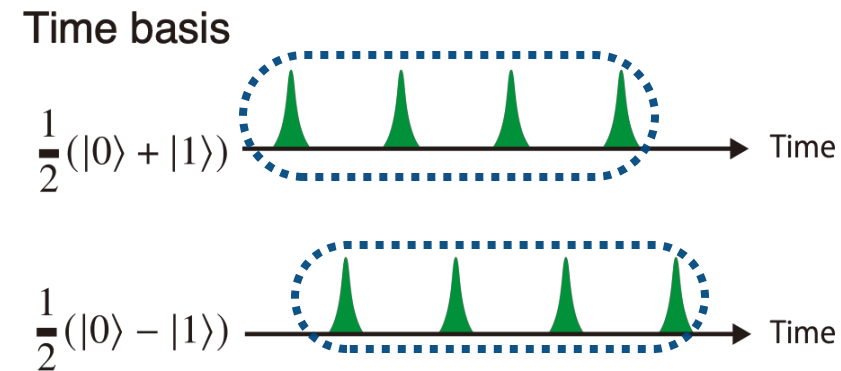
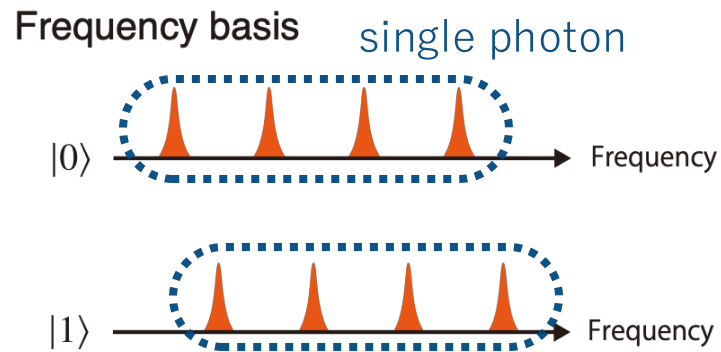


T. Yamazaki, *et al.*, "Linear optical quantum computation with frequency-comb qubits and passive devices," PRL 130, 200602 (2023)

Time-frequency Gottesman-Kitaev-Preskill qubit

T. Yamazaki, RI *et al.*, PRL 130, 200602 (2023)

Encoding a qubit into single-photon frequency combs



This qubit is called Time-frequency Gottesman-Kitaev-Preskill (TF-GKP) qubit

N. Fabre et al., Phys. Rev. A (2020)

N. Fabre et al., Phys. Rev. A (2022)

from an analogy with original GKP code.

D. Gottesman et al., Phys. Rev. A (2001)

This state is discretized in the both time and frequency domains

➔ robust to both temporal- and spectral-shift errors

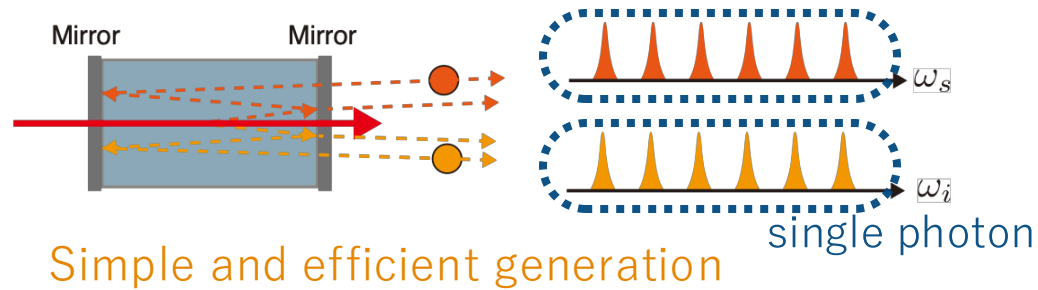
Components for manipulation of TF-GKP qubit

T. Yamazaki, RI *et al.*, PRL 130, 200602 (2023)

Following components are sufficient for universal quantum computation

- state generators

Cavity-enhanced SPDC + time-resolving detector



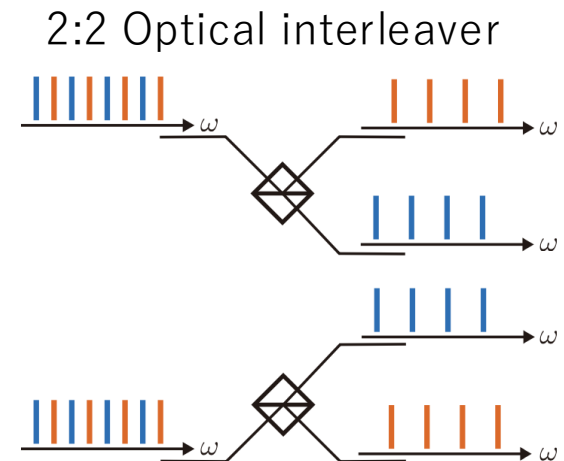
- Time-resolving detector

- Optical interleaver (OI)

spatially dividing frequency combs

- (Spatial) beam splitter

independent from time and frequency



Universal QC using TF-GKP qubit

T. Yamazaki, *et al.*, PRL 130, 200602 (2023)

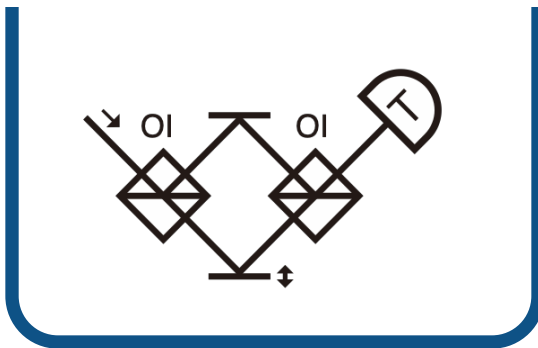
We mimic a polarization-encoding scheme with TFGKP encoding.

D. E. Browne, T. Rudolph, Phys. Rev. Lett. (2005).

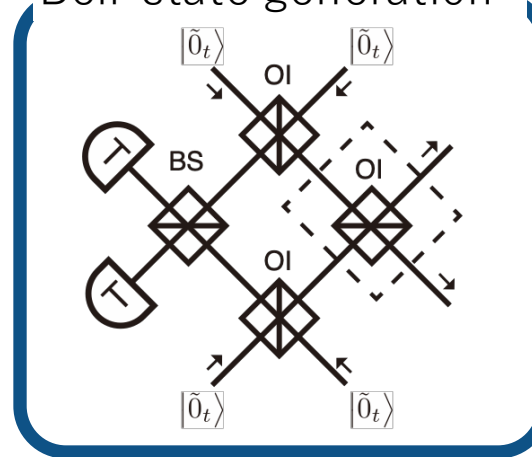
Optical interleaver + detectors = measurement in the Z basis $\{|0\rangle, |1\rangle\}$

Time-resolving detector = measurement in the X basis $\{\frac{1}{2}(|0\rangle \pm |1\rangle)\}$

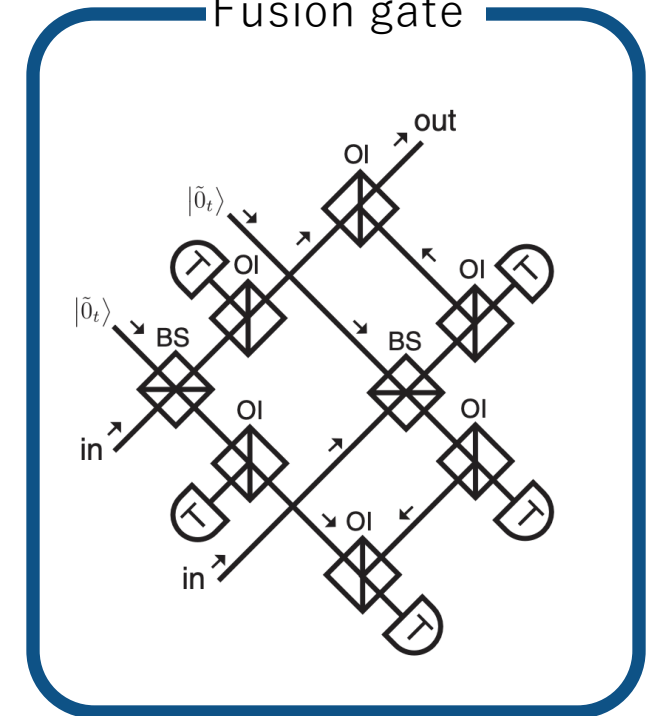
Measurement in the
 $\mathbf{X} \cos \theta + \mathbf{Y} \sin \theta$ basis



Bell-state generation



Fusion gate



These operations are sufficient for
fault-tolerant measure-based quantum computation

R. Raussendorf *et al.*, Ann. Phys. (2006), R. Raussendorf *et al.*, Phys. Rev. Lett. (2007).

Error analysis

T. Yamazaki, RI *et al.*, PRL 130, 200602 (2023)

Two types of broadenings

Coherent broadening $\rightarrow$ temporal broadening = spectral compression

Incoherent broadening $\rightarrow$ probabilistic temporal/spectral shifts

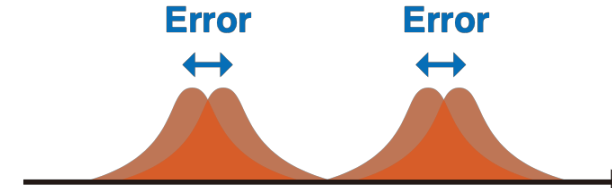
Two types of error sources

Factor I



Single qubit measurement
Both time and frequency bases
Incoherent + coherent

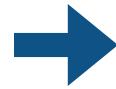
Factor II



Entangling gates using interference
Only time basis
Incoherent / coherent

Temporal resolution
of detectors:
4.3 ps

B. Korzh et al., Nat. Photonics. (2020).



Comb spacing of
optical interleavers
and frequency combs:

12.5 GHz
Optoplex



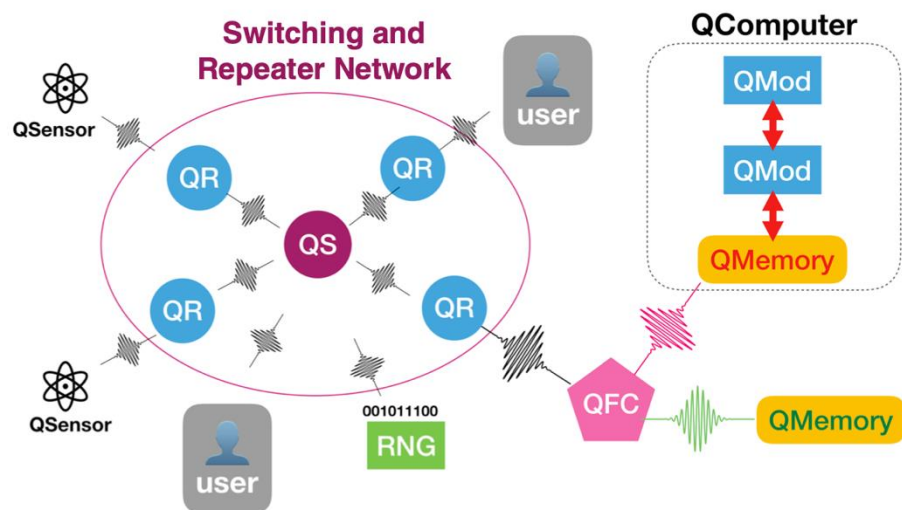
Finesse of
frequency comb
 ~ 60

Our experiment



Error probabilities $< 1\%$ is almost achievable by current technologies

Summary and outlook



- Quantum frequency conversion is an essential tool for the quantum internet which includes heterogeneous quantum systems.
- QFC can be regarded as a frequency-domain BS, which paves the way for a photonic QIP based on frequency degree of freedom.
- **Singly resonant $\chi^{(2)}$ nonlinearity** enables the emergence of novel functionalities in QFC, and **SPDC photons**.
 - Frequency multiplexed photon pair
 - Quantum frequency comb
 - Time-frequency GKP qubit

